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Abstract

This paper develops a growth theory that accounts for the evolution of trade policy, underlying internal class conflicts, and global income divergence over the last few centuries. By analyzing political responses to the distributional effects of international trade, this paper finds a prominent interaction between trade policy and the pattern of economic development, and suggests that the nature of the interaction depends on a country's resource abundance and distribution. As shown by the example of Western Europe, land-scarce countries will reach a developed stage through a non-monotonic evolution of trade policy. In contrast, land-abundant countries, especially those with concentrated landownership, tend to fail to take off because of landlords' opposition to industrialization.

Keywords: Trade Policy, Growth, Class Conflict.

JEL Classification: F10, F13, F43, O11, O40.

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1 Introduction

Over the last two centuries, the world economy has witnessed two epochal phenomena never seen before: the rapid expansion of international trade and income gaps across nations. The approximate growth rate of intercontinental trade was 3.5 percent per annum in this period, while the figure was 1.1 percent per annum between 1500 and 1800 (O'Rourke and Williamson 2001, Table 1). The gap between the West and the rest of the world in average per capita GDP was nearly 2:1 in 1820, whereas it was as much as 7:1 in 1998 (Maddison 2001, Table 1-9b, 46).

While these figures have brought a potential link between international trade and long-run growth performance to many economists' attention, there seems to be no established theory to account for their historical relationship. As pointed out by Williamson (2003), the role of international trade has typically been neglected by a recent literature analyzing the transition from Malthusian stagnation to modern growth.¹ Even the few exceptions, such as McDermott (2002) and Galor and Mountford (2003), treat the emergence of international trade as exogenously given.² On the other hand, the literature on endogenous tariff theory primarily builds on static frameworks, silent to the dynamic aspects of trade and aggregate output.³

This research distinguishes itself from these previous articles by exploring the historical evolution of trade policy and economic development. Analyzing political response to the distributional effects of trade, the research finds a prominent interaction between these two factors, and emphasizes the role of international trade in income divergence across countries.

The analysis is focused on the development of Western Europe since the 18th century, consisting of four distinct epochs of trade policy.⁴ In the first epoch (1700-1830s), Western European

¹See, for example, Goodfriend and McDermott (1995), Galor and Weil (2000), Kogel and Prskawetz (2001) and Hansen and Prescott (2002).

²There are two other notable articles relevant to the present paper. McDermott (1999) endogenizes a country's openness by introducing the government's motivation for mercantilistic protection against the inflow of foreign ideas. In contrast to the present article, he does not study international trade in commodities and hence overlooks the substantial impact of grain inflow on the 19th-century European economy. Baldwin et al. (2001) develop a growth model in which exogenous improvements in various costs of trading goods (such as shipping costs and political barriers) promote industrial agglomeration in the North and thereby provoke great income divergence between the North and South.

³See Mayer (1984), Magee, Brock and Young (1989), and Grossman and Helpman (1994), among others.

⁴International trade is considered as between Western Europe and the rest of the world, including Eastern Europe. In the seventeenth and eighteenth centuries, Amsterdam played a central role in determining the grain prices in Europe (Glamann 1974, 457). In the course of the 18th century England and France shifted from intra-European trade to intercontinental trade (Kriedte 1983, Chap. 3), and the late 18th century was the time when the Atlantic trade became the engine of European economic growth (*ibid.*, 125). For example, Carolina's rice exports enlarged five-fold between 1720 and 1740 (Nash 1992, 687).

countries imposed severe restrictions on the import of grain, one of the main foodstuffs, thereby adversely affecting most people's living standards. The second epoch (1830s-1870s) was marked by a decisive shift towards free trade. The resulting influx of grain, especially from the New World, had substantial impacts on income distribution within societies. In response to the grain invasion, many of these nations went back to the protection of domestic agriculture, a competing sector. This political backlash characterizes the third epoch, which has continued until today. On top of these three historical stages, the theory predicts the second wave of globalization in the fourth and final stage. Thus, the evolution of trade policy generally encompasses two surges of liberalism with a stage of protectionism in between.

This paper accomplishes two intriguing objectives. The first and main objective is to analyze the non-monotonic evolution of trade policy experienced by Western Europe, a region plausibly regarded to be scarce in land and abundant in capital.⁵ This non-monotonicity reflects qualitative changes in individuals' preferences towards trade liberalization, and their attitudes vary with the degree of economic development. The present paper provides an interest-based explanation for the determination of openness through an internal political process, rather than political games between trading countries. The second objective is to identify one of the prime sources of global income divergence.⁶

The theoretical model constructed later describes a two-sector, two-good, overlapping-generations economy incorporating two specific factors: land and physical capital, and one mobile factor: human capital.⁷ Three key elements are featured in this model. The first is the absolute importance of food for people in poverty. To be more precise, for the sake of survival people need to spend their incomes exclusively on food up to a certain consumption level. This consumer behavior can

⁵According to a careful investigation by Rogowski (1989, pp.154-158), as late as 1600 Northwestern Europe was abundant in capital and scarce in land, whereas Eastern Europe was abundant in land and scarce in capital. During the 16th century the vast granaries of eastern Germany and Poland had achieved rapid growth, and by the first half of the 17th century an annual average of 140,000 tons of grain flowed into Western Europe through the Danish Sound (De Vries 1976, 33). Although England was a net exporter of many grains in the first half of the 18th century, this fact was largely because of the bounty and thus was called "a forced export" (Ormrod 2003, 216-217).

⁶The interest-based approach is taken by Rogowski (1989), who applies the Stolper-Samuelson theorem to interpret class and rural/urban conflicts over trade policies within 19th-century European nations. However, he neither constructs a formal model nor discusses the determination of trade policy. The present article goes beyond these two points in order to analyze the dynamic interaction between trade policy and economic development, with class conflicts being by-products of this interaction.

⁷While the model is an extension of Galor and Moav's (2004) one-sector, one-good growth model, their research accomplishes a saliently different objective: They examine the effects of (exogenous) distributional policies on output growth in a closed economy, and find that the qualitative effects depend on the stage of development.

be viewed as an extreme case of Engel's law. The second element is diversified holdings of production factors. As in Mayer (1984), voting is conducted by individuals who invest in several factors, although human capital is not incorporated into his model. A shift in portfolio composition in the growth process alters individual trade policy preferences. The last element is credit-market imperfection, which leads to borrowing constraints facing agents who invest in a broad range of skills.⁸ Credit-constrained individuals will profitably invest all resources in education, in the presence of the decreasing (constant) returns to scale with respect to investment in human (physical) capital. Hence in underdeveloped stages, wage income, not capital revenues, is the major income source for all but the very rich.

The theory predicts the following scenario for the evolution of a land-scarce, capital-abundant economy. In the early stages of development, the economy operates in a closed system where per capita output of the agricultural product remains constant. Because of the scarcity of land and the necessity for food, the agricultural sector absorbs a substantial amount of labor, depressing the wage in terms of food. The landless poor are thus obliged to devote their entire incomes to food consumption and cannot afford to invest in skill-acquisition. This binding subsistence constraint in autarky sustains landlords' economic dominance at the expense of the rest's poverty. In contrast, engaging in international trade would break down this class structure by placing egalitarian pressure on income distribution: On the one hand, it would raise the wage in terms of food through labor outflows from agriculture, mitigating the cost of living for low-income classes. On the other hand, free trade would reduce real rents and thus landlords' incomes. These two egalitarian forces of globalization—the rise of the working class and fall of the landed elite—are a prime incentive for landlords to prefer autarky. This implies that the initial development process entails a political struggle between the landed and landless classes. Provided that the wealthy class wields political power, the economy adopts protectionist policies reflecting the landlords' position.

While free trade enhances landlords' revenues accrued from industrial capital, this positive effect is not dominant in early stages where industrial capital is a minor asset in their portfolios. However, the accumulation of industrial capital, in conjunction with a limited supply of land, gradually

⁸The credit market imperfection approach has been extensively taken by recent theoretical articles examining the effects of income distribution on economic growth. They include Banerjee and Newman (1993), Galor and Zeira (1993), and Benabou (1996). Perotti (1996) and Flug et al. (1998) find empirical support for the significance of the credit-market imperfection as a barrier to educational attainment.

shifts the portfolio composition to capital and thereby makes specialization in manufacturing more profitable for landlords. Accordingly, landlords come to vote for free trade and the economy opens up to international trade. Note that this epochal regime switch dissolves the class conflict in trade policy due to the cost-of-living effect mentioned earlier.

As the economy develops under free trade, further specialization in manufacturing raises the agricultural wage, easing the subsistence constraint binding the working class. This improvement in living standards changes the behavior of landless workers fundamentally in two respects. First, now that they consume the manufactured good as well as food, the wage in terms of the manufactured good becomes an important element in their real wage. Second, they begin to invest in skill-acquisition, pushing their incomes further above the subsistence level of food consumption. In these circumstances people in the working class may become less supportive of pro-global (i.e. pro-industrial and anti-agricultural) policies since specialization in manufacturing leads to a lower capital-labor ratio in industry and hence to a lower wage in terms of the manufactured good. It should be stressed that the magnitude of their opposition to liberalization largely hinges on the amount of agricultural land. Consistent with the historical evidence given below, protection of agriculture will be intense in *moderately* land-scarce countries (e.g., Germany and France), where the negative effect of free trade on workers—the decline in the industrial wage—is dominant. Hence, noting that the rise in the middle class income will lead to the extension of the franchise, their political participation results in the resurgence of protectionism. By contrast, the retreat into protectionism does not take place in *severely* land-scarce countries (e.g., the United Kingdom).

Unless the political backlash is overwhelming, the accumulation of physical and human capital continues to boost output and real wages. The growing economy ultimately reaches highly developed stages where the credit constraint dissipates and members of the landless class invest in education as well as in industrial capital. These newly emerging capitalists form a major interest group in society and support pro-global policies. This is because agricultural land has little value in highly industrialized stages and hence maximizing aggregate output, which occurs under free trade, coincides with maximizing the real wage for the landless class. This result should be interpreted as a prediction of trade policy in unreached, highly developed stages, given the fact that most currently developed countries still adhere to agricultural protection.

The second part of this article demonstrates that the size of landownership is a prime determi-

nant of development patterns, and hence of global income divergence as well. Large-scale landlords, for whom land rents are the most important income source, have a strong incentive to protect agriculture and substantial amounts of capital are required for them to turn to pro-industrial, liberal policies. Therefore, a country that has abundant land and a small number of landowners is likely to remain protectionist.

It is worthwhile discussing several empirical aspects of the specification of the above model. The model can be viewed as a ramification of the Heckscher-Ohlin model, in the sense that it enables us to explore the effects of relative commodity price on factor prices. Although many empirical papers using the postwar data report the poor performance of the Heckscher-Ohlin model (e.g. Leontief 1953 and Treffer 1995), O'Rourke et al. (1996) confirm its better performance in the late 19th century. Their results indicate that the factor-price convergence between the Old and New Worlds in this period was driven by commodity-price convergence, supporting the factor-price-equalization theorem.

The rest of this chapter is organized as follows. Section 2 offers supporting evidence for European trade policy and economic development. Section 3 outlines the basic structure of the model and Section 4 derives a short-run equilibrium. Section 5 analyzes individuals' trade-policy preferences, which hinge on their wealth levels. Section 6 demonstrates the endogenous evolution of trade policy and aggregate output experienced by industrial economies. Section 7 investigates the role of international trade in income divergence across countries, and Section 8 concludes the discussion. Some proofs of technical results are placed in the Appendix.

2 Historical Evidence

This section presents historical evidence of Western European trade policy and economic development, supporting the central argument of the paper.⁹ As mentioned in the introduction, this paper considers both intra-European and intercontinental trade, and the exploration dwells on the role of trade policy, rather than transportation costs, in determining a country's openness. The following four epochs construct a broad picture of the history of Western European trade policy over the last three centuries.

⁹I wish to thank Daniel Mejia and Jeffrey G. Williamson for data support for Figure 1 and Figures 2(a)-2(b), respectively.

2.1 The Age of Protectionism, 1660-1830s

Protectionism was a prevailing doctrine in Europe during this periods, and the import of grains was forcefully constrained by a series of national laws. The most well-known and important example was the British Corn Laws, which lasted until 1846.¹⁰ According to Bairoch (1989, 7-8), “It should be noted that ‘Corn Laws’ were a quasi-permanent feature of tariff history in most European countries. They had always aimed at a precarious balance between protecting local agriculture and preventing the price of bread rising too steeply.” For instance, Burke’s Act of 1773 fixed the threshold price level on the home market, above which the import of wheat was allowed with customs duties, at 44 shillings per quarter, later raised to 80 shillings by the law of 1815 (*ibid.*, 8).¹¹ In France, landowners succeeded in introducing a sliding scale tariff to protect cereals between 1815 and 1845 (Fohlen 1973, 30). Prior to the 19th century protectionist policies against foreign grains were generally binding intra-European trade, rather than intercontinental trade.¹²

The absence of grain imports kept European economies under agricultural-land constraints. Using British data between 1565-1936, O’Rourke and Williamson (2000) find a clear association between commodity and factor prices and endowments for the pre-1828 periods, but note a breakdown in this relationship after 1828 rather than after the 1490s, the era of the Voyages of Discovery. Based on this finding they suggest the superiority of the closed model over the open-economy model before 1828, and the latter’s superiority to the former after 1828.

Working class living standards did not improve in the first epoch; rather they were deteriorating. For instance, Allen (2001, 427-429) reports that welfare indicators of laborers in many European cities exhibited downward or stationary trends during 1500-1800, remaining at the levels where

¹⁰The term ‘Corn’ did not merely mean American corn or maize, rather the term meant grains such as wheat, oats, rye, varley, malt, peas, beans and maize (Barnes 1965, 7). Although the Corn Laws existed prior to 1660, it is after 1660 that the government restricted the import of grain and encouraged the export of it (Barnes 1965, 8 and Glamann 1974, 465). Apart from the UK, most European countries were protectionist at latest in the early 19th century (Bairoch 1989, 7). This paper conventionally sets 1660 as the initial period.

¹¹A quarter of wheat was 217.7 kg. The import of wheat was subject to customs duties.

¹²It appears that intercontinental trade in grains were not a main agenda for pre-19th century policy makers due to enormous freight costs. Some historians such as Irwin (2001) and Taylor (2002) are in favor of the view that it was underdeveloped shipping technology, rather than protective policy, that constrained intercontinental trade between the 16th and 18th centuries. While Europe engaged in trade with other continents such as the New World, Asia and India after the Voyages of Discovery, most traded commodities between 1500-1800 were non-competing luxury goods, which had high values compared with their transport costs: e.g. pepper, other spices, cotton textiles, tea and coffee from Asia, and sugar, tobacco and silver from the Americas (Findlay and O’Rourke 2001, 7-10 and Table 1). Since luxury goods were out of the budget of low-income groups, with respect to living standards intercontinental trade was of little relevance to all Europeans except the elite (Irwin 2001 and Williamson 2002c, 16).

incomes are spent mostly on rents and necessities. Similarly, Hoffmann et al. (2002) find that for the period between 1500 and about 1800, both unskilled labor and luxury goods generally became cheaper relative to staple foods (grains and bread) in major European regions (Table 2 and Figure 1, 331-333), and that grain shares were larger in working class budgets than in upper class budgets in England and Wales, France, and the Netherlands (Table 1, 326-327).¹³ The proposed theory predicts the rise in the relative price of food in autarky—a result consistent with the trend in this epoch. What needs to be emphasized is that sustained mass poverty was a major force that constrained the productive activities of most Europeans.

2.2 The First Globalization, 1830s-1870s

The triumph of liberalism was symbolized by Britain's repeal of the Corn Law in 1846.¹⁴ Williamson (1990, Table 1, 128) estimates that the ad valorem tariff equivalent on grain in Britain fell from about 71 percent to about 22 percent between 1815 and 1845—a great step towards free trade. By 1850, wheat came into Britain continuously from Australia, Argentina, India, the middle west of America and Canada, and the value of wheat exports from the U.S. multiplied by twenty-fold during 1850-1915 (Woodruff, 1973).¹⁵ In Germany, Belgium, and France, imports of grain accounted for 3 per cent of domestic production in the years 1862-6, reaching to 20 per cent in 1876-80 (Bairoch 1989, 47).

Britain's liberal ideas spread over much of the European core, especially after 1860, when Britain and France agreed on a commercial treaty including the most-favored-nation clause (Bairoch 1989, 40 and Minchinton 1973, 100).¹⁶ The spreading of the ideology of liberalism led to the dismantling

¹³In 1688-England and Wales, the bottom 40% of income groups spent about 35% of their incomes on bread and other grain, whereas the top 5% spent only 4.2% on those goods. In France, rural workers spent 30.8% of their incomes on bread and other grain in 1763, whereas middle and upper classes spent only 1.7% on them in 1788. This implies that the relative price of grain was more important for living standards of poorer people.

¹⁴The present article conventionally defines the 1830s as the initial periods of the first globalization. While the triumph of liberalism was symbolized by Britain's repeal of the Corn Law in 1846, the onset of liberalism dates back to the early 1820s. The progress of British liberalization was gradual but steady through the subsequent tariff reforms. In 1822, the nation reduced the threshold price level mentioned above to 70 shillings per quarter (Bairoch 1989, 9). Customs duties on industrial products and raw materials were reduced as well (*ibid.*, 9).

¹⁵The increase in the years after the late 19th century is accounted for largely by the improvements in transportation costs and technology of wheat production, rather than by liberal trade policy, as agricultural protection was prevailing during this period in Western Europe.

¹⁶"The most-favoured-nation clause is a formula by which each of the two signatories to a treaty agrees to grant the other any advantage, favour, or privilege with regard to trade or navigation that it granted at the time of signing, or that it would grant in the future, to any other nation" (Bairoch 1989, 38-39). According to Minchinton (1973, 100), the abolition of grain duties was conducted by the Zollverein in 1853, by Britain in 1860, by France and the Netherlands in 1862, by Italy in 1870, and by Belgium in 1871.

of agricultural protection and the associated inflow of grain on an enormous scale, and consequently brought about two major changes in European economies. The first is improvements in within-country wealth inequality. O'Rourke and Williamson (2003) report that in Northwestern Europe, the wage-land rent ratio was rising prior to the 19th century and started falling at some point in the century. The second is the specialization in capital-intensive goods, which shifts workers from agricultural to industrial sectors. Britain's agricultural workforce began to decline after 1850, a decline tied both to new technologies and to massive increases in agricultural imports (Pomeranz 2000, 287). These two drastic changes indicate that trade liberalization and accompanying grain inflows caused a structural breakdown, transforming Western Europe from an autarkic to an open economy and releasing it from resource constraints.¹⁷

Political power was wielded by the landed elite in most European nations during this epoch. For example, Aydelotte (1967, 51) reckons that the share of the British aristocracy and gentry in the house of commons was roughly 80 percent in 1846, the year of the Corn Law Repeal. Moreover, as depicted in Figure 1, prior to the 1870s the franchise was limited to a small segment of the population in the European core, except France. Since landlords were the richest class during this period and the restriction of the franchise was based on the income level, the dominance of the landed elite was perhaps the most common political characteristic in Europe. Hence many of the landlords' preferences were reflected in the trade policies adopted, and trade liberalization would not have been achieved without their substantial agreement.

One of the prime forces behind the policy switch to free trade was, as mentioned in the introduction, the rising relative importance of industrial capital in landlords' portfolios.¹⁸ This hypothesis is consistent with the empirical work by Schonhardt-Bailey (1991), who focuses on the case of Britain in the first half of the 19th century. She documents growing diversification of the asset portfolios of British landowners, and also finds that the Members of Parliament representing constituencies with greater diversification were more likely to vote for free trade. Likewise, Thompson (1994,

¹⁷In 1500, the number of persons per square mile in western Europe plus the New World was 26.7, and the figure declined to 9.0 by 1800 [Jones (1981, 82) and Webb (1952, 18)]. This is a substantial positive impact on European resource constraints, counteracting the rapid population growth between the two periods.

¹⁸According to O'Rourke's (2000) recent review of British trade policy, economic historians proposed two other major reasons for the Corn Law Repeal. Kindleberger (1975) suggests that economic ideas convinced the voters of the efficiency of free trade. By contrast, Irwin (1989) argues that gradual distrust of the Malthusian and Recardian theories prompted the prime minister Robert Peel to convert to liberalism. This research confines its focus to one of the potential sources of trade liberalization.

Table 1 Import Tariff Levels in 1913 (percentage of value)

Country	Manufactures	Wheat
Austria-Hungary	20	35
Belgium	9	0
Denmark	—	0
Finland	28	0
France	21	38
Germany	13	36
Italy	20	40
Netherlands	—	0
Norway	—	4
Portugal	—	prohibitive
Spain	34	43
Sweden	25	28
Switzerland	8	2
United Kingdom	0	0
Continental Europe	19	25

Source. Bairoch (1989, Table 9, 76 and Table 16, 139).

166) documents the aristocracy's decreasing dependence on agricultural incomes in 19th-century England.¹⁹

2.3 Political Backlash, 1870s-

As shown by Minchinton (1973, 100), the retreat from free trade occurred in Italy in 1878, in Germany in 1879, in France in 1881, in Bulgaria in 1883, in Switzerland in 1884, in Rumania in 1886, in Belgium and Sweden in 1887, in Austria-Hungary, Spain, Portugal and Russia in the same decades.

The impact of cheap New World and Russian grain became evident in European markets by the late 1870s and 1880s, as was apparent from the 50 percent decline in real British land rents between 1870 and 1913 (Findlay and O'Rourke 2001, 35). Many countries on the European continent re-

¹⁹ An empirical study by Scheve and Slaughter (2001) provides indirect evidence for the view that the real estate ownership affects trade-policy preference. Based on individual-level survey data for the United States in recent years, they confirm that trade barriers were more likely to gain supports from individuals whose home ownerships were in counties where comparative-disadvantage industries were concentrated. Home ownership in their study resembles the ownership of agricultural land in this paper's context.

sponded to this ‘grain invasion’ by protecting domestic agricultural sectors to a greater extent than industrial sectors. This series of political backlashes are observed in the following time-series and cross-sectional data. The time series data from Figures 2(a)-2(b) illustrate that several geographically large countries, such as Austria-Hungary, France, Germany and Italy, were generally raising tariffs during this epoch, whereas the United Kingdom, a geographically small country, was not.²⁰ In fact, the United Kingdom maintained free trade until 1932 (Bairoch 1989, 92). Turning to the cross-sectional data, Table 1 shows that the European continent was on average more protectionist against the import of wheat than that of manufactured goods. At country levels, this tendency applies for Austria-Hungary, France, Germany, Italy, Spain, Sweden and possibly Portugal. The United Kingdom, again in sharp contrast, displays considerable and widespread liberalism. The asymmetry in European political responses was initially pointed out by Kindleberger (1951, 33). He argues that “The response of Germany, France, and Italy to the decline in the world price of wheat was to impose tariffs in an attempt to maintain the relative price of wheat and to protect grain producers,” whereas “Like Britain, the Netherlands, and Belgium, Denmark did not impose a tariff on wheat.” One plausible conjecture from these time-series and cross-sectional records is that between the 1870s and 1913, core European countries generally became protectionist against foreign trade, and that the protection was more intensive in agriculture than in industry.

One must bear in mind that the resurgence of protectionism was not powerful enough to cause a return to the level of economic isolation prior to the first globalization (Williamson 2002a, 4). As shown in Table 2, despite the pro-agricultural policies, European economies remained net importers of primary products and net exporters of the manufactured goods in the beginning and at the end of this epoch, and the opposite is the case for all the other regions.

Two empirical observations are consistent with this article’s view that the retreat into protectionism was provoked in part by growing workers.²¹ First, Figure 1 clearly illustrates that many European nations had a dramatic extension of the franchise towards the end of the 19th century, implying that the middle class was gaining political influence. Second, a study by O’Rourke (1997) quantifies the potential impact of cheap grain and finds that the welfare effects of the grain invasion

²⁰Between the 1870s and 1890s, the average tariff rate increased from 4.4 to 10.1 percent in France, and 3.8 to 9.1 percent in Germany (Blattman et al. 2002, 5).

²¹Since there exist only two income classes in the economy considered below, the term ‘workers’ includes small-size capitalists, whose major income source is wages.

Table 2 Values of Net Exports, 1876-80 and 1913

Region	1876-80		1913	
	Primary Goods	Manufactured Goods	Primary Goods	Manufactured Goods
United Kingdom	-1245	640	-1836	1150
NW Europe	-960	630	-2830	1523
Other Europe	235	-120	104	-555
USA and Canada	270	-90	559	-157
Oceania			326	-361
Latin America			936	-828
Africa	838*	-1250*	373	-425
Asia			843	-786

Sources. Findlay and O'Rourke (2001, Table 4) and originally from Lamartine Yates (1959).

* The average of Oceania, Latin America, Africa and Asia.

on workers vary across some European nations. As the present paper does, he focuses on two opposing effects of free trade on the real wage, which emerge in a standard rural-urban specific-factors model: the decline in the wage in terms of the manufactured good and the rise of the wage in terms of food. By utilizing a CGE model whose parameters are based on empirical data, his analysis finds that the former negative effect outweighed the latter positive effect in France, which had large agricultural sectors, whereas the opposite was true for Britain, which had small agricultural sectors (ibid., 792). Given these two results together, this article asserts that within Western Europe, the difference in agricultural size may account for different political responses to the grain invasion.

The protection in agricultural sectors has remained until today, as evidenced by the 2003 WTO meeting in Mexico. Coppel and Durand (1999, Figure 1, 20) find stationary trends in producer support estimates (PSE) in OECD countries' agricultural sectors between 1986 and 1998. During the period the PSEs remained at about 40% in the European Union, 20% in the United States and 60% in Japan—levels above the ones in Australia and New Zealand (ibid., 6). In contrast, trade liberalization in manufactured goods has been successful. Findlay and O'Rourke (2001, Table 5, 67) document the declining trend in average tariffs on manufactured goods for 27 major countries between 1913 and 1998. Intercontinental price gaps between 1950 and 2000 were cut by 76%, out of which no less than 74% can be attributed to trade liberalization (Lindert and Williamson 2001, Table 1). The reports above suggest that this substantial contribution of trade liberalization comes

predominantly from manufacturing sectors.

2.4 Summary

One lesson from the historical evidence presented so far is that a country's trade policy varies over time in accordance with the stage of economic development. A country may even experience a non-monotonic evolution of trade policy in the growth process, as is evidenced by the political backlash in 19th-century Germany and France. Another lesson is that the opening of an economy to international trade paves the way to modern growth by delinking it from resource constraints. Hence, international trade appears to be one of the key determinants for global income divergence. The following sections explore the mechanism that generates the evolution of trade policy, aggregate output, and individual living standards.

3 The Model

Consider a two-sector overlapping-generations economy that operates in a two-good world over infinite discrete time. There are three factors of production: land, physical capital and human capital. An agricultural good is produced in one sector by employing land and human capital, while a manufactured good is produced in the other by using physical and human capital. The accumulation of the two kinds of capital is the engine of economic growth; it occurs through private investment in assets and education, subject to borrowing constraints. The supply of land and the levels of population and technology are constant over time.²²

The economy may take part in international trade of final goods with no effect on the world market. While the world economy imposes no restriction on trade, the economy described below may become protectionist. The government, through the internal political process, sets up the level of a tariff and thus the domestic prices as the only means of trade protection. Tariff revenues are not rebated to individuals but are spent completely on consumption by the government.

3.1 Production of Final Goods

The economy has perfectly competitive markets for both the final goods and the inputs, while households rent the services of land, physical capital and human capital out to producers. Independ-

²²The inclusion of physical capital in agricultural production would not alter the basic results, as long as the industrial capital accumulation promotes labor migration to the manufacturing sector.

dent of the political decision on trade policies, all agents in the markets act as price takers who can perfectly predict the future course of the economy. Human capital is completely mobile between the sectors and all factors are, unlike final goods, immobile across countries. The supply of human capital depends on the educational investment in the preceding period.

3.1.1 The Agricultural Sector

This sector generates the agricultural good, which is perishable and indispensable for survival, in the production process governed by a neoclassical technology. Let X_t and H_t^A denote the quantities of land and human capital employed by this sector at time t . The output of the agricultural good produced at time t , y_t^A , is then

$$y_t^A = F(X_t, H_t^A) = [aX_t^\rho + (1-a)(H_t^A)^\rho]^{1/\rho}, \quad (1)$$

where $a \in (0, 1)$ and $\rho \in (-\infty, 0)$. The parameter restriction imposed on ρ generates an upper bound of output when one of their inputs are fixed in supply.²³ The marginal productivity with respect to each input goes to zero as the input becomes infinitely large, whereas the other Inada conditions are not satisfied: The marginal productivity with respect to each input remains finite as the input approaches zero.

In contrast to individuals facing liquidity constraints, producers are allowed to rent land freely on the grounds that land is easily collateralized compared to human capital. Hence, producers in period t maximize their profits given p_t , the price of the agricultural good, ρ_t , the rental price per unit of land, and w_t^A , the wage per unit of human capital in period t . The manufactured good is taken as the numeraire. This standard profit-maximization is to maximize $p_t y_t^A - \rho_t X_t - w_t^A H_t^A$ with respect to X_t and H_t^A . Substituting a fixed land supply into the resulting inverse demand functions leads to

$$\begin{aligned} \rho_t &= p_t F_X(X, H_t^A); \\ w_t^A &= p_t F_H(X, H_t^A), \end{aligned} \quad (2)$$

where $X > 0$ is a fixed supply of land and F_i denotes the partial derivative of function F with respect to argument i ($F_H \equiv \partial F(\cdot)/\partial H_t^A$ for simplicity).²⁴

²³As will become apparent, the economy characterized by $\rho = 0$ (i.e., the Cobb-Douglas technology) would not completely specialize in manufacturing even at developed stages. In this case one could maintain the central argument of the paper at the cost of exposition.

²⁴This notation applies to all functions in what follows.

3.1.2 The Manufacturing Sector

This sector generates the manufactured good that can be consumed or stored. Let K_t and H_t be the aggregate quantities of physical and human capital, respectively, employed by the manufacturing sector in period t . This sector's total output in period t , y_t^M , is

$$y_t^M = MK_t^\alpha (H_t^M)^{1-\alpha} = Mk_t^\alpha H_t^M, \quad (3)$$

where $\alpha \in (0, 1)$, $k_t \equiv K_t/H_t^M$, and $M > 0$ denotes the level of technology.

As in the agricultural sector, producers in period t maximize their profits given w_t^M , the market wage per unit of human capital, and r_t , the rental price per unit of physical capital in period t . The inverse demand functions are therefore

$$\begin{aligned} r_t &= \alpha M k_t^{\alpha-1} \equiv r(k_t); \\ w_t^M &= (1 - \alpha) M k_t^\alpha \equiv w(k_t). \end{aligned} \quad (4)$$

The rate of return on human capital, w_t^M , increases with physical capital because of their complementarity in production.

3.1.3 Aggregate Output

The aggregate level of human capital at time t , H_t , is not less than the working population, which is one for all t . Since there is no unemployment in the described circumstances,

$$H_t = H_t^A + H_t^M \geq 1. \quad (5)$$

The economy's aggregate output in period t , y_t , is

$$y_t \equiv p_t y_t^A + y_t^M = p_t F(X, H_t^A) + MK_t^\alpha (H_t - H_t^A)^{1-\alpha}, \quad (6)$$

where $\partial y_t / \partial p_t = y_t^A$ and $\partial y_t / \partial H_t^A = w_t^A - w_t^M$. Noting the strict concavity of the production functions, it follows that $H_t^A = \arg \max y_t$.

Human capital moves to the sector offering a higher wage, and as long as both sectors are active, the perfect mobility of human capital equalizes w_t^A and w_t^M . That is,

$$w(k_t) = p_t F_H(X, H_t^A). \quad (7)$$

The existence of $F_H(X, 0)$ implies that the wage equalization above may not hold depending on the levels of k_t and p_t . Let $p_t^{\min} = p^{\min}(k_t) > 0$ be the price level such that $w(k_t) = p_t^{\min} F_H(X, 0)$ for $k_t > 0$. Then in light of (7),

$$H_t^A = H^A(k_t, p_t) \quad \text{for } (k_t, p_t) \gg 0, \quad (8)$$

where $H^A(\cdot) = 0$ for $p_t \leq p_t^{\min}$, and $H^A(\cdot) > 0$ with $H_k^A(\cdot) < 0$ and $H_p^A(\cdot) > 0$ for $p_t > p_t^{\min}$. Moreover, $\lim_{k_t \rightarrow 0} H^A(\cdot) = H_t$ and $\lim_{k_t \rightarrow \infty} H^A(\cdot) = 0$.

3.2 Individuals

3.2.1 Environment

A new generation, consisting of a continuum of individuals, is born in the beginning of every period and lives over the course of two periods. Hence there are two generations in society at each point in time. The size of population is normalized to one. Individuals may differ in their endowments, yet they are homogeneous in all the other aspects. An individual born in period t is referred to as a member $i \in [0, 1]$ of generation t .

In the first period of life (youthhood), a member i of generation t has a single parent and spends the entire time acquiring skills. The formation of human capital is augmented by investing the manufactured good in education during this period. The education costs are financed from the wealth transferred from her parent, $b_t^i \geq 0$. The amount saved by this individual is thus $s_t^i = b_t^i - e_t^i$.

In the second period (adulthood), the individual has a single child and acquires human capital $h_{t+1}^i \equiv h(e_t^i)$, where $h(\cdot)$ is an increasing, strictly concave function satisfying the Inada conditions and $h(0) = 1$. The last condition implies that no real expenditure on education results in labor with basic skills. By supplying the human capital inelastically, the individual receives the wage income $w_{t+1} h_{t+1}^i$, where w_{t+1} is the market wage rate in terms of the manufactured good at time $t + 1$. On top of that, those who have savings or landownership respectively receive interest rates or rents from producers. Unlike physical capital, there is no market for landownership: land is under the ownership of old individuals and is inherited by their offsprings after every period. To summarize, the second period's income of a member i of generation t , I_{t+1}^i , is

$$I_{t+1}^i = w_{t+1} h(e_t^i) + R_{t+1}(b_t^i - e_t^i) + \rho_{t+1} x^i, \quad (9)$$

where $R_{t+1} \equiv 1 + r(k_{t+1}) - \delta \equiv R(k_{t+1})$ and x^i denotes the amount of land owned by the individual. In order to simplify the analysis of the dynamical system, the complete capital depreciation, $\delta = 1$, is assumed in what follows.

3.2.2 Consumption

In this two-good world, the agricultural good is thought of as staple food essential for survival. Suppose that food consumption is absolutely essential for adult individuals. More precisely, they spend their incomes exclusively on the agricultural good up to a certain level, $\hat{c} > 0$, and the demand for the agricultural good, which serves merely for survival, saturates at \hat{c} .²⁵ The food consumption of a member i of generation t , $c_{t+1}^{A,i}$, is therefore

$$\begin{aligned} c_{t+1}^{A,i} &= I_{t+1}^i / p_{t+1} & \text{if } I_{t+1}^i < p_{t+1} \hat{c} \\ c_{t+1}^{A,i} &= \hat{c} & \text{if } I_{t+1}^i \geq p_{t+1} \hat{c}. \end{aligned} \quad (10)$$

The remaining income is spent on c_{t+1}^M , consumption of the manufactured good, and b_{t+1} , the manufactured good transferred to her child, so as to maximize the utility function²⁶

$$u_t = (c_{t+1}^M)^{1-\beta} b_{t+1}^\beta, \quad \text{with } \beta \in (0, 1), \quad (11)$$

subject to $c_{t+1}^A = \hat{c}$ and the budget constraint

$$p_{t+1} c_{t+1}^A + c_{t+1}^M + b_{t+1} \leq I_{t+1}^i. \quad (12)$$

It follows that the optimal transfer of this individual is

$$b_{t+1}^i = \beta (I_{t+1}^i - p_{t+1} c_{t+1}^{A,i}) = \beta \max(I_{t+1}^i - p_{t+1} \hat{c}, 0). \quad (13)$$

Let v_t^i be the indirect utility function of a member i of generation t in the absence of the food constraint (i.e., $I_{t+1}^i / p_{t+1} > \hat{c}$). Then,

$$v_t^i = \epsilon (I_{t+1}^i - p_{t+1} \hat{c}), \quad \text{with } \epsilon \equiv (1 - \beta)^{1-\beta} \beta^\beta. \quad (14)$$

²⁵One may suppose that children consume a part of the food their parents purchase. For the sake of simplicity, it is assumed that no one dies regardless of the amount of food consumption. Incorporating a death rate makes the model more realistic, yet is not essential for this paper's qualitative results.

²⁶The qualitative results of the paper would be intact under a more realistic utility function $(1 - \beta_1 - \beta_2) \ln c_{t+1}^M + \beta_1 \ln b_{t+1} + \beta_2 \ln(c_{t+1}^A - \hat{c})$, provided that β_2 , the weight of excess food consumption, is sufficiently small.

3.2.3 Investment

Each individual with perfect foresight invests in education and savings as a price taker. (10) and (14) assert that regardless of the food constraint, the optimal investment is to maximize the second period's income I_{t+1}^i . Let e_t be the desirable level of education in period t for a given $k_{t+1} > 0$, in the absence of borrowing constraints. It follows from (36) and (9) that

$$e_t = \arg \max_e [w(k_{t+1})h(e) - R(k_{t+1})e]. \quad (15)$$

In view of the assumptions made on $h(\cdot)$, there exists a single-valued function

$$e_t = e(k_{t+1}) > 0 \quad \text{for } k_{t+1} > 0, \quad (16)$$

where $e'(k_{t+1}) > 0$ with the Inada conditions.²⁷ The intuition behind the positive reaction of education to the capital ratio is straightforward: an increase in k_{t+1} raises the return on human capital, w_{t+1} , while reducing the return on savings, R_{t+1} . In order to simplify the analysis, it is assumed that

$$e''(k_{t+1}) \leq 0, \quad \forall k_{t+1} > 0. \quad (A1)$$

This condition depends on the third derivative as well as the first and second derivatives of $h(\cdot)$.

In this economy, imperfections of the capital market eliminate any possibility for individuals to make loans for education. Furthermore, they have no access to international capital markets. Hence, while e_t is the first-best choice for all young members at time t , those facing the borrowing constraint cannot achieve such a desirable level of education. A member i of generation t accordingly invests in education in a way that²⁸

$$e_t^i = \begin{cases} e_t & \text{if } b_t^i \geq e_t \\ b_t^i & \text{otherwise.} \end{cases} \quad (17)$$

The amount of savings is now expressed as

$$s_t^i = b_t^i - e_t^i = \begin{cases} b_t^i - e_t & \text{if } b_t^i \geq e_t, \\ 0 & \text{otherwise.} \end{cases} \quad (18)$$

²⁷One of the Inada conditions imposed on $h(\cdot)$ eliminates the case that $e(k_{t+1}) = 0, \exists k_{t+1} > 0$. As will become clear, alternative specifications of $h(\cdot)$ would not alter the basic scenarios of the paper but complicate the exposition.

²⁸The second case in (17) includes the possibility that k_{t+1} and thus e_t do not exist (i.e., $K_t = H_t^M = 0$). The nonexistence of k_{t+1} means the complete specialization to agriculture in period $t + 1$, and thus all resources are optimally used for skill acquisition in period t . Note also that k_{t+1} never becomes 0 because no workers engage in the manufacturing sector that produces no output (recall that if $K_t = 0, y_t^M = 0$ for any $H_t^M \geq 0$).

Taking (17) and (18) into account, the second period's income from (9) is revised to

$$I_{t+1}^i = \begin{cases} w_{t+1}h(e_t) + R_{t+1}(b_t^i - e_t) + \rho_{t+1}x^i & \text{if } b_t^i \geq e_t, \\ w_{t+1}h(b_t^i) + \rho_{t+1}x^i & \text{otherwise.} \end{cases} \quad (19)$$

This result along with (13) suggests that the heterogeneity of b_{t+1}^i arises from those of b_t^i and x^i .

3.3 Initial Distribution of Wealth

In period 0, there are two income groups in society, R (Rich) and P (Poor), which respectively comprise fixed fractions $\lambda \in (0, 1/2)$ and $1 - \lambda$ of population. The entire amounts of land and capital in the economy are distributed evenly among the old members of group R , whereas those of group P are proletarian.

The initial transfers depend on the initial levels and distributions of the three factors for production. Assuming that $K_0 > 0$ and $h_0^R = h_0^P = 1$, one can get

$$\begin{aligned} b_0^R &= \beta \max[w_0 + (\rho_0 X + R_0 k_0)/\lambda - p_0 \hat{c}, 0]; \\ b_0^P &= \beta \max(w_0 - p_0 \hat{c}, 0), \end{aligned} \quad (20)$$

where $\rho_0 X + R_0 k_0 > 0$. As shown below, the initial ranking of wealth among people does not reverse in the future.

Corollary 1 *Given the initial condition (20), $I_t^R > I_t^P$ and $b_t^R \geq b_t^P$ for all $t \geq 0$, with equality only if $b_t^R = b_t^P = 0$.*

Proof. (20) implies that $I_0^R > I_0^P$ and $b_0^R \geq b_0^P$ with equality only if $b_0^R = b_0^P = 0$. Hence the results for period $t \geq 2$ follow from (13) and (19). \square

4 Short-Run Equilibrium

This section considers the determination of aggregate variables and transfers in each period.

4.1 Aggregate Capital and Output

In the absence of the opportunity for international lending and borrowing, the aggregate stock of physical capital equals aggregate savings. Since Corollary 1 excludes the case $0 < b_t^R \leq b_t^P$, (18)

yields

$$K_{t+1} = \lambda s_t^R + (1 - \lambda) s_t^P = \begin{cases} B_t - e_t & \text{if } e_t \leq b_t^P < b_t^R \\ B_t - \lambda e_t - (1 - \lambda) b_t^P & \text{if } b_t^P < e_t < b_t^R \\ 0 & \text{otherwise,} \end{cases} \quad (21)$$

where $B_t \equiv \lambda b_t^R + (1 - \lambda) b_t^P$ is the aggregate transfer allocated between investment in physical and that in human capital. Note that group R 's savings are indispensable for the formation of physical capital.

Human capital fully depreciates in one period since workers die off. It thus follows from (17) that the aggregate stock of human capital in period $t + 1$ is

$$H_{t+1} = \lambda h(e_t^R) + (1 - \lambda) h(e_t^P) = \begin{cases} h(e_t) & \text{if } e_t \leq b_t^P < b_t^R \\ \lambda h(e_t) + (1 - \lambda) h(b_t^P) & \text{if } b_t^P < e_t < b_t^R \\ \lambda h(b_t^R) + (1 - \lambda) h(b_t^P) & \text{otherwise.} \end{cases} \quad (22)$$

It thus follows from (5), (8) and (15) that the industrial capital-labor ratio is

$$k_{t+1} = \frac{B_t - \theta_t e_t - (1 - \theta_t) b_t^P}{\theta_t h(e_t) + (1 - \theta_t) h(b_t^P) - H^A(k_{t+1}, p_{t+1})} \equiv q(k_{t+1}; B_t, b_t^P, p_{t+1}, \theta_t), \quad (23)$$

where θ_t represents the fraction of young members who are *not* credit-constrained at time t .²⁹ One should note the independence of $q(\cdot)$ from b_t^P when θ_t is equal to one. The properties of $h(\cdot)$, $e(\cdot)$ and $H^A(\cdot)$ ensure that $k_{t+1} = q(k_{t+1}; \cdot)$ holds in a perfect-foresight equilibrium. Hence there exists a single-valued function implied by this condition,³⁰

$$k_{t+1} = k(B_t, b_t^P, p_{t+1}, \theta_t) > 0,$$

where³¹

$$\theta_t = \begin{cases} 1 & \text{if } e(k(\cdot, 1)) \leq b_t^P; \\ \lambda & \text{if } b_t^P < e(k(\cdot, \lambda)). \end{cases}$$

²⁹ As noted in Footnote 28, if there is no physical capital in period $t + 1$, then the physical-human capital ratio k_{t+1} is undefined. The existence of k_{t+1} therefore implies $K_{t+1} > 0$; i.e., members of group R are never credit-constrained and always have a positive amount of savings.

³⁰ The function $k(B_t, b_t^P, p_{t+1}, \theta_t)$ is defined on the set $\mathbb{R}_{++} \times [0, B_t] \times (0, p_{t+1}^{\max}) \times (0, 1]$, where p_{t+1}^{\max} is defined in (67) in the Appendix. Although the function exists for $p_{t+1} > p_{t+1}^{\max}$ as well, the Appendix demonstrates that both K_{t+1} and H_{t+1}^M are positive only for the aforementioned price range. In what follows, these four endogenous variables are defined on this set.

³¹ $e(k(\cdot, 1)) = b_t^P$ if and only if $e(k(\cdot, \lambda)) = b_t^P$ because $q(\cdot, 1) = q(\cdot, \lambda)$ for a value of k_{t+1} such that $e(k_{t+1}) = b_t^P$. Without loss of generality, one can choose $\theta_t = 1$ if $b_t^P = e(k(\cdot, 1)) = e(k(\cdot, \lambda))$ so that θ_t represents the fraction of members who are not credit-constrained.

Note that

$$\begin{aligned} \lim_{B_t \rightarrow 0} k(B_t, 0, \cdot) &= 0; & \lim_{B_t \rightarrow \infty} k(\cdot) &= \infty; \\ k_B(\cdot) &> 0; & k_b(\cdot) &\leq 0; & k_p(\cdot) &\geq 0, \end{aligned} \quad (24)$$

where the second inequality holds strictly if and only if $\theta_t < 1$, and the last inequality holds strictly for $p_{t+1} > p_{t+1}^{\min}$. The economic intuition behind the properties above deserves special emphasis. First, $k_b(\cdot)$ is negative when members of group P are credit-constrained (i.e., $\theta_t = \lambda$), because they invest only in human capital. Second, the positivity of $k_p(\cdot)$ reflects the properties of $H^A(k_{t+1}, p_{t+1})$ in (8); a rise in the relative price of the agricultural good leads to a rise in w_{t+1}^A , which attracts more workers to the agricultural sector.

Figure 3 visualizes the determination of θ_t on the (B_t, b_t^P) space for a given price level p . The Credit Constraint Frontier, the CC locus, is defined as the set of all pairs (B_t, b_t^P) for which

$$b_t^P = e(k(B_t, b_t^P, p, 1)) = e(k(B_t, b_t^P, p, \lambda)).$$

The frontier converges to zero as B_t approaches zero, and its slope is between zero and one. Observe that $e(k(\cdot, 1)) < b_t^P$ on the region above the frontier and $e(k(\cdot, \lambda)) > b_t^P$ on the region below the frontier—both cases are consistent with the definition of θ_t .³²

The equilibrium level of k_{t+1} is now expressed as a continuous single-valued function

$$k_{t+1} = \kappa(B_t, b_t^P, p_{t+1}), \quad (25)$$

where $p_{t+1} \in (0, p_{t+1}^{\max})$. Once the level of k_{t+1} is given, then K_{t+1} , H_{t+1} , the labor allocation and the factor prices are all determined by individuals' investment and the competitive market mechanism.

In light of p_t^{\min} defined for (8) and the discussion in the Appendix, the patterns of specialization are summarized as

$$\begin{aligned} y_t^A = 0 \quad \text{and} \quad y_t^M > 0 & \quad \text{if} \quad p_t \in (0, p_t^{\min}], \\ y_t^A > 0 \quad \text{and} \quad y_t^M > 0 & \quad \text{if} \quad p_t \in (p_t^{\min}, p_t^{\max}), \\ y_t^A > 0 \quad \text{and} \quad y_t^M = 0 & \quad \text{if} \quad p_t \in [p_t^{\max}, \infty). \end{aligned} \quad (26)$$

Substituting (21) and (22) into (6), aggregate output in period $t + 1$ is now expressed as

$$y_{t+1} = y(B_t, b_t^P, p_{t+1}) = \lambda I_{t+1}^R + (1 - \lambda) I_{t+1}^P, \quad (27)$$

³²By contrast, $e(k(\cdot, \lambda)) < b_t^P$ on the region above the frontier and $e(k(\cdot, 1)) > b_t^P$ on the region below the frontier—both cases are inconsistent with the definition of θ_t .

where as follows from (2) and (4),

$$\begin{aligned}
 y_B(\cdot) &> 0, \\
 y_b(\cdot) &\begin{cases} = 0 & \text{if } p_{t+1} \in (0, p_{t+1}^{\max}) \text{ and } b_t^P \geq e_t; \\ > 0 & \text{otherwise,} \end{cases} \\
 y_p(\cdot) &= y_{t+1}^A,
 \end{aligned}$$

where in particular, $y_B(\cdot) = R_{t+1}$ when the manufacturing sector is active. Note that $e_t = \arg \max y_{t+1}^M$. The last equality in (27) reflects the linear homogeneity of the production functions. The aggregate income is allocated entirely to old members, who are the owners of inputs.

4.2 The Goods' Markets

4.2.1 The Open Economy

To the extent that the economy is open to the world markets, the domestic demand for each commodity does not need to match the domestic supply, and the gap between them can be filled by either exports or imports. The payment of foreign trade always balances in the domestic economy.

4.2.2 The Closed Economy

The domestic demand for and supply of each good are equated when the economy is completely closed to the world markets. In light of Walras' law, one can focus on the agricultural good's market. As follows from (1), (7), (10) and (26), the clearance of the market at time t is achieved by a pair (H_t^A, p_t) such that

$$\begin{aligned}
 F(X, H_t^A) &= \lambda \min(I_t^R/p_t, \hat{c}) + (1 - \lambda) \min(I_t^P/p_t, \hat{c}); \\
 p_t &= \frac{w(k_t)}{F_H(X, H_t^A)} \in (p_t^{\min}, p_t^{\max}) \quad \text{iff } H_t^A \in (0, H_t)
 \end{aligned} \tag{28}$$

There are two assumptions to be made for the economic environment in period 0. First, the economy operates in a closed system where both sectors are active.³³ The initial operation of industry, which requires landowners who can afford transfers in period 0, ensures the transition

³³This paper deals with only the case in which both sectors are active in autarkic equilibrium. Note that there is a possibility that the autarkic economy does not produce the manufactured good. For example, it follows from (44) below that $y_0^M = B_0 = 0$ if $H_0^A = 1$ in (29). By contrast, agricultural output is always positive in the closed system, because of the demand function (10) and a positive amount of land.

from an agrarian to industrial economy. Second, the food constraint is strictly binding only for group P . This initial inequality between two income classes would be historically plausible and enables us to examine the effect of international trade on people in different living standards.

Recalling that adult members of group P are endowed with nothing but basic skills in period 0, one can find that $I_0^P/p_0 = F_H(X, H_0^A)$ from (7) and (19). Since they are facing the food constraint, the initial employment level H_0^A satisfies the first market-clearing condition of (28) in a way that

$$F(X, H_0^A) = \lambda \hat{c} + (1 - \lambda)F_H(X, H_0^A) < \hat{c}, \quad (29)$$

where $H_0^A \in (0, 1)$ is assumed in order to assure that both sectors operate in period 0.³⁴

It thus follows from (7) that the autarkic price in period 0, p_0 , is

$$p_0 = \frac{w(k_0)}{F_H(X, H_0^A)}, \quad \text{where } k_0 = \frac{K_0}{1 - H_0^A} > 0. \quad (30)$$

Since this means $y_0^M > 0$, (27) and (29) yield

$$I_0^R/p_0 > [F(X, H_0^A) - (1 - \lambda)F_H(X, H_0^A)]/\lambda = \hat{c}, \quad (31)$$

consistent with the second initial condition.

Lemma 1 *If (29) is satisfied, then for $t \geq 1$, a pair $B_{t-1} > b_{t-1}^P = 0$ leads to $I_t^P = w_t < p_t \hat{c} < I_t^R$ and $H_t^A = H_0^A$.*

Proof. See the Appendix. □

Let p_t^c be the autarkic price at time t . Then, substituting $H_{t+1}^A = H_0^A$ into (23) and then using (28) produce $p_{t+1}^c = p^c(B_t)$ for $B_t > 0$ and $b_t^P = 0$, where $dp^c(B_t)/dB_t > 0$ and $p^c(B_t) < p_{t+1}^{\max}$. It follows that p_{t+1}^c satisfies³⁵

$$H^A(k_{t+1}, p_{t+1}^c) = H_0^A, \quad \text{where } k_{t+1} = \kappa(B_t, 0, p_{t+1}^c). \quad (32)$$

³⁴The inequality in (29) holds for a sufficiently large \hat{c} since the equality implies that H_0^A increases with \hat{c} . Also, the neoclassical properties of $F(\cdot)$ assure that $H_0^A \in (0, 1)$ is feasible for a sufficiently small λ . One can find $\lim_{\lambda \rightarrow 0} H_0^A < 1$ by noting that

$$F(X, 1) > F_H(X, 1) = \lim_{\lambda \rightarrow 0} [(1 - \lambda)F_H(X, 1) + \lambda \hat{c}].$$

More generally, H_0^A could be larger than one, yet must be smaller than $H_0 = \lambda h_0^R + (1 - \lambda)h_0^P$.

³⁵(32) is satisfied by a unique price level since $H^A(\kappa(B_t, 0, p_{t+1}), p_{t+1})$ is strictly increasing in p_{t+1} . Note that $\theta_t = \lambda$ if $B_t > 0$ and $b_t^P = 0$.

5 Individuals' Optimal Trade Policies

This section investigates the optimal prices from the viewpoint of each individual in society. Suppose that the world economy is in a stationary state at a price level $p^w > 0$. Then the feasible price interval faced by all people is $p_{t+1} \in [\min(p^w, p_{t+1}^c), \max(p^w, p_{t+1}^c)] \equiv \mathbf{p}_{t+1}$, which ensures balanced trade and the clearance of the domestic goods' markets.

It follows from (10)-(14) that the desirable price for a member i of generation t , denoted as p_{t+1}^i , is

$$p_{t+1}^i = \begin{cases} \arg \max(I_{t+1}^i/p_{t+1}) & \text{if } I_{t+1}^i/p_{t+1} \leq \hat{c}, \forall p_{t+1} \in \mathbf{p}_{t+1}; \\ \arg \max(I_{t+1}^i - p_{t+1}\hat{c}) & \text{otherwise,} \end{cases} \quad (33)$$

where in view of (27), $I_{t+1}^i = I^i(B_t, b_t^P, p_{t+1})$ and thus $v_t^i = v^i(B_t, b_t^P, p_{t+1})$.

In order to understand the discussion below, it is important to note that the effects of trade protection on employment in each sector are,³⁶

$$\frac{\partial H_t^A}{\partial p_t} > 0 \quad \text{and} \quad \frac{\partial H_t^M}{\partial p_t} < 0. \quad (34)$$

5.1 The Landless Class

The optimal trade policy for the landless hinges on the effectiveness of the food and credit constraints, and there are three cases to be considered. First, as long as both constraints are binding ($I_{t+1}^P \leq p_{t+1}\hat{c}$ and $b_t^P \leq e_t$ for any $p_{t+1} \in \mathbf{p}_{t+1}$), they consume only the agricultural good and aim to maximize the income in terms of the agricultural good, $I_{t+1}^P/p_{t+1} = F_H(X, H_{t+1}^A)$. Hence they support the policy that promotes the specialization in manufacturing.

Secondly, when only the credit constraint is binding, members of group P consume both goods, and their consumption level of the manufactured good depends on the income in terms of the manufactured good, $I_{t+1}^P = w_{t+1}h(b_t^P)$. Compared to the first case above, they will be less supportive of industrialization since the labor shift to the manufacturing sector reduces the industrial capital-labor ratio k_{t+1} , leading to a lower level of w_{t+1} .

Lastly, when neither of the constraints is binding, members of group P receive transfers from their parents and save part of them. While both goods are consumed as in the second case above,

³⁶The first result follows from $H_p^A(\cdot) + H_k^A(\cdot)\kappa_p(\cdot) > 0$. That is, although trade liberalization has a negative effect on the agricultural employment via a decline in the capital ratio, this indirect effect is outweighed by the direct, negative effect of the price change. The second result is implied by (21) and (24).

the interest rate R_{t+1} becomes an additional factor through which k_{t+1} and hence p_{t+1} affect I_{t+1}^P . The negative effect of k_{t+1} on R_{t+1} counteracts the positive effect of k_{t+1} on w_{t+1} , and thereby induces them to support a pro-industrial tariff policy.

5.2 The Landed Class

This subsection considers only early development stages where $B_t > b_t^P = 0$ and thus $I_{t+1}^P = w_{t+1}$ as implied by (19). Since Lemma 1 has shown that in this situation, the food constraint is not binding for landlords in autarky, one can use the second case of (33) with (27) to obtain

$$\begin{aligned} p_{t+1}^R &= \arg \max v^R(B_t, 0, p_{t+1}) \\ &= \arg \max [y_{t+1} - (1 - \lambda)w_{t+1} - \lambda p_{t+1}\hat{c}]. \end{aligned} \quad (35)$$

Recall $y_p(\cdot) = y_{t+1}^A$ in (27), and it follows from (26) that

$$\frac{\partial w_t}{\partial p_t} = \begin{cases} 0 & \text{for } p_t \in (0, p_t^{\min}]; \\ \gamma_t F_H(X, H_t^A) & \text{for } p_t \in (p_t^{\min}, p_t^{\max}); \\ F_H(X, H_t) & \text{for } p_t \in [p_t^{\max}, \infty), \end{cases} \quad (36)$$

where $\gamma_t \in (0, 1)$ is the point elasticity of w_t with respect to p_t .³⁷

Lemma 2 *If (A1), (29) and $B_t > b_t^P = 0$ are satisfied, the desirable price for landlords of generation t , p_{t+1}^R , is either p^w (free trade) or p_{t+1}^c (autarky).*

Proof. Since $(1 - \gamma_t)$ decreases with H_t^A , one can find from (29) and (34) that the objective function in (35) is non-monotonically sloped and is strictly convex with respect to $p_{t+1} \in (0, \infty)$, implying the result. \square

Next consider how landlords' wealth level affects their choice between free trade and autarky. In order to simplify the notation, let z^c be variable z in autarky and z^w be the one under free trade. Recalling $b_t^P = 0$ here, (33) yields $v_t^{R,c} = v^R(B_t, 0, p_{t+1}^c)$ and $v_t^{R,w} = v^R(B_t, 0, p^w)$, and the analysis below will demonstrate that $v_t^{R,c}$ and $v_t^{R,w}$ exhibit the properties as depicted in Figure 4. Observe in the diagram that the landlords' desired price depends on the level of aggregate transfer.

First we investigate the properties of $v_t^{R,c}$. (35) and the market-clearing condition (29) yield

$$v_t^{R,c} = \epsilon y_{t+1}^{M,c} / \lambda \quad \text{for } B_t > 0. \quad (37)$$

³⁷The expression for γ_t is given by (68) in the Appendix. One can get γ_{t+1} by applying the implicit function theorem to (23) to get $\kappa_p(\cdot)$ and to (7) to get $H_p^A(\cdot)$, and also by noting $h'(e_t) = \alpha/(1 - \alpha)k_{t+1}$ from (15).

Substituting (21), (22) and (32) into (3) produces

$$y_{t+1}^{M,c} = M(B_t - \lambda e_t)^\alpha [\lambda h(e_t) + 1 - \lambda - H_0^A]^{1-\alpha}, \quad (38)$$

which is a strictly increasing, strictly concave, continuous function of a single variable B_t , satisfying the Inada conditions.³⁸ Furthermore, $y_{t+1}^{M,c}$ diminishes towards zero as B_t approaches zero because, as follows from (16) and (24), K_{t+1} and H_{t+1} respectively approach zero and one as B_t approaches zero. Conversely, as B_t goes to infinity, K_{t+1} , H_{t+1} and thus $y_{t+1}^{M,c}$ go to infinity. These properties of $y_{t+1}^{M,c}$ are reflected in those of $v_t^{R,c}$ depicted in Figure 4.

Next consider the properties of $v_t^{R,w}$. Industrial output under free trade, a component of $v_t^{R,w}$, is

$$y_{t+1}^{M,w} = M(B_t - \lambda e_t)^\alpha [\lambda h(e_t) + 1 - \lambda - H_{t+1}^{A,w}]^{1-\alpha}, \quad (39)$$

where $H_{t+1}^{A,w} \equiv H^A(k_{t+1}^w, p^w)$ and $k_{t+1}^w \equiv \kappa(B_t, 0, p^w)$. Noting $e_t = \arg \max y_{t+1}^M$, one can find that for a given level of B_t , only the employment level in agriculture generates quantitative differences in industrial outputs under different trade policies.³⁹ Let B^{\min} be a value of B_t such that $p_{t+1}^{\max} = p^w$ for $b_t^P = 0$. As shown in the Appendix, p_{t+1}^{\max} is an increasing function of B_t , meaning that $p_{t+1}^{\max} < p^w$ for $B_t \in [0, B^{\min}]$ and $p^w < p_{t+1}^{\max}$ otherwise. It then follows from (26) that $y_{t+1}^{M,w} = 0$ for $B_t \in [0, B^{\min}]$ and $y_{t+1}^{M,w} > 0$ for $B_t > B^{\min}$.

Now, a landlord's net gain from free trade is expressed as

$$v_t^{R,w} - v_t^{R,c} = \epsilon \left\{ [y_{t+1}^{M,w} - y_{t+1}^{M,c}] + [p^w y_{t+1}^{A,w} - (1 - \lambda)w_{t+1}^w - \lambda p^w \tilde{c}] \right\} / \lambda, \quad (40)$$

where the first and second square brackets respectively indicate the gains from the industrial sector and from the agricultural sector. Note that these two components are always opposite in their signs; in the case of industrial (agricultural) specialization, the gain from industry is positive (negative), whereas the gain from agriculture is negative (positive). This result reflects a trade-off between two assets—capital and land—in landlords' portfolios.

The overall effect of specialization depends on the wealth level B_t . In light of (40),⁴⁰

$$v_t^{R,w} = v_t^{R,c} \quad \text{and} \quad \partial v_t^{R,c} / \partial B_t > \partial v_t^{R,w} / \partial B_t \quad \text{for } B_t = \check{B}, \quad (41)$$

³⁸These properties are obtained from (4), (15) and (24), noting $\partial y_{t+1}^M / \partial B_t = R(k_{t+1})$ and $e_t = \arg \max y_{t+1}^M$.

³⁹For this reason, the superscripts of e_t^c and e_t^w can be omitted to simplify the notation.

⁴⁰The difference in $\partial v_t^R / \partial B_t$ is proven by the following two facts. First, the definition of \check{B} implies $\partial y_{t+1}^M / \partial B_t = R(\kappa(\check{B}, 0, p^w)) = R(\kappa(\check{B}, 0, p_{t+1}^c))$. Second, the difference $y_{t+1}^A - (1 - \lambda)w_{t+1}$ decreases with B_t because, as follows from (8), H_{t+1}^A decreases with k_{t+1} and thus B_t .

where \check{B} is a unique value of B_t for which $p_{t+1}^c = p^c(B_t) = p^w$. That is, landlords prefer autarky if B_t is moderately greater than \check{B} . Recalling $dp^c(B_t)/dB_t > 0$ and $p^c(B_t) < p_{t+1}^{\max}$ for any $B_t > 0$,

$$p^w < p_{t+1}^c < p_{t+1}^{\max} \quad \text{for } B_t > \check{B} \text{ and } b_t^P = 0. \quad (42)$$

Therefore, the economy has a comparative advantage (in period $t+1$) in manufacturing for $B_t > \check{B}$, and in agriculture for $B_t < \check{B}$. A higher level of aggregate transfer leads to a larger difference between the domestic and world prices. If B_t is not sufficiently greater than \check{B} , specialization in industry with insufficient capital stocks does not bring them industrial profits enough to compensate for their losses in agriculture. On the other hand, as asserted by the following lemma, sufficient amounts of aggregate transfer induce landlords to vote for free trade.

Lemma 3 *There exists a unique value \tilde{B} such that*

$$v^R(B_t, 0, p^w) - v^R(B_t, 0, p_{t+1}^c) \begin{cases} < 0 & \text{for } B_t \in (\check{B}, \tilde{B}) \\ = 0 & \text{for } B_t = \tilde{B} \\ > 0 & \text{for } B_t \in (\tilde{B}, \infty). \end{cases}$$

Proof. See the Appendix. □

Group R 's trade-policy preferences are illustrated in Figure 4.⁴¹ As will become apparent in Section 7, the diagram applies to the economy characterized by scarce land and a relatively large fraction of landlords. \tilde{B} is the value of B_t for which members of group R , the landed class, are indifferent between liberal and protective trade policies. They support anti-industrial protective policies for $B_t \in (\check{B}, \tilde{B})$, pro-industrial liberal policies for $B_t > \tilde{B}$, and pro-agricultural liberal policies for $B_t < \check{B}$.

6 Globalization and Economic Development

This section presents a non-monotonic evolution of trade policy that reflects gradual changes in individuals' trade-policy preferences and the extension of the franchise. This section confines its analysis to a land-scarce economy, which can be viewed as Western Europe. It will demonstrate that while the economy eventually liberalizes foreign trade, it may go through a stage of protectionism between two surges of liberalism, depending on the scarcity of land. Namely, a bifurcation of

⁴¹ $\tilde{B} > B^{\min}$ in the diagram because $p_{t+1}^c < p_{t+1}^{\max}$ and both p_{t+1}^c and p_{t+1}^{\max} are increasing with B_t .

trade policy may emerge in the growth process even among land-scarce economies. The case of land-abundant economies will be discussed in Section 7.

We postulate that in each period, the franchise is given only to young individuals who receive transfers from their parents. They adopt a trade policy executed in the next period by majority voting. Since group R is the minority (i.e., $\lambda < 1/2$), as long as $b_t^P > 0$ the political decision fully reflects group P 's opinion. It follows from (33) that

$$p_{t+1} = \left\{ \begin{array}{ll} p_{t+1}^R & \text{if } b_t^R > b_t^P = 0 \\ p_{t+1}^P & \text{if } b_t^P > 0. \end{array} \right\} \equiv p(B_t, b_t^P), \quad (43)$$

As shown in (10) and (13), consumption and transfers depend on the income and price levels. Hence in light of (27) and (43), the evolution of the economy is governed by a two-dimensional, first-order, autonomous dynamical system in B_t and b_t^P :

$$\begin{aligned} B_{t+1} &= \beta(y_{t+1} - p_{t+1}C_{t+1}^A) = \phi(B_t, b_t^P, p_{t+1}) = \Phi(B_t, b_t^P); \\ b_{t+1}^P &= \beta \max(I_{t+1}^P - p_{t+1}\hat{c}, 0) = \psi(B_t, b_t^P, p_{t+1}) = \Psi(B_t, b_t^P), \end{aligned} \quad (44)$$

where $C_t^A \equiv \lambda c_t^{A,R} + (1 - \lambda)c_t^{A,P}$ denotes the aggregate food consumption at time t .

In order to exclude development scenarios that are beyond this paper's scope, it is assumed that

$$B_0 \in (\check{B}, \tilde{B}); \quad b_0^P = 0; \quad p_0 = p_0^c, \quad (A2)$$

where $B_0 = \beta MK_0^\alpha (1 - H_0^A)^{1-\alpha} > 0$ as follows from (29) and (44). The first condition above leads to both comparative advantage in manufacturing and landlords' preference of autarky over free trade in period 1. The second and third conditions imply that (29) is satisfied.

Let \hat{B} be the critical value for which unskilled proletarians can afford just the food consumption level \hat{c} under free trade. Namely,⁴²

$$w(\hat{k}) = p^w \hat{c}, \quad \text{where } \hat{k} \equiv \kappa(\hat{B}, 0, p^w). \quad (45)$$

Let B' be a value such that $p_{t+1}^c > p^w$ for all $B_t > B'$ and $b_t^P \in [0, B_t]$.⁴³ The analysis in what follows is limited to the case

$$\max(B', \tilde{B}) < \hat{B}. \quad (A3)$$

⁴²The properties of $\kappa(\cdot)$ in (24) ensure that \hat{B} is uniquely defined.

⁴³Noting B^* defined below, B' is a value which is sufficiently close to B^* .

Consistent with the historical evidence, the condition $B' < \hat{B}$ keeps the economy's comparative advantage in manufacturing over time, and the condition $\tilde{B} < \hat{B}$ makes the food constraint binding for group P in the first period of trade liberalization.⁴⁴

Figure 3 depicts the conditional dynamical system formed by $B_{t+1} = \phi(B_t, b_t^P, p^w)$ and $b_{t+1}^P = \psi(B_t, b_t^P, p^w)$ on the (B_t, b_t^P) space defined as $\mathbb{R}_{++} \times [0, B_t)$. Given the fixed world price, $B_{t+1} = B_t$ and $b_{t+1}^P = b_t^P$ along the BB locus and the bb locus, respectively. Given the initial condition above, the pair (B_t, b_t^P) never enters the region above the 45° line, as was established in Corollary 1.

6.1 Stage I - Dominance of the Landed Class and Resistance to Free Trade

The economy develops in Stage I at time $t \in [0, \tilde{t}]$, where \tilde{t} is the period such that $B_t \leq \tilde{B}$ for all $t < \tilde{t}$ and $B_t > \tilde{B}$ for $t = \tilde{t}$. Note that (A2) implies $\tilde{t} > 0$. In this early stage of development, the food constraint is binding for members of group P and political power is in the hands of the landed interest, who resist trade liberalization.

6.1.1 The Evolution of the Economy

The initial pair of transfers is $B_0 \in (\check{B}, \tilde{B})$ and $b_t^P = 0$ as given by (A2). In addition, Lemmas 2-3 and (43) yield

$$p_{t+1} = p_{t+1}^R = p_{t+1}^c \quad \text{for } B_t \in [\check{B}, \tilde{B}] \text{ and } b_t^P = 0,$$

assuming that landowners vote for a protective policy when they are indifferent. It thus follows from (28), (37) and Lemma 1 that for these pairs of transfers, (44) becomes

$$\begin{aligned} B_{t+1} &= \phi(B_t, 0, p_{t+1}^c) = \beta y_{t+1}^M = \beta \lambda v^R(B_t, 0, p_{t+1}^c) / \epsilon; \\ b_{t+1}^P &= \psi(B_t, 0, p_{t+1}^c) = \beta \max(w_{t+1} - p_{t+1}^c \hat{c}, 0) = 0, \end{aligned} \quad (46)$$

where the last equality on the first line is based on (37).⁴⁵ The properties of $v^R(B_t, 0, p_{t+1}^c)$ are explained in Subsection 5.2 and are depicted in Figure 4.

Let B^* be a value of B_t for which $p^w F_H(X, 0) = w(k_{t+1})$ or equivalently $p^{\min}(k_{t+1}) = p^w$, where $k_{t+1} = k(B_t, b_t^P, p^w, 1)$.⁴⁶ It follows from (24) and (26) and that $p_{t+1}^{\min} > p^w$ for $B_t > B^*$ and

⁴⁴The feasibility of the condition (A3) can be proven as follows. Consider the case in which \tilde{c} goes to infinity and α approaches 1, while $(1 - \alpha)/p^w$ remains constant. First, in light of (45), \tilde{B} becomes infinitely large. Second, noting that B^* remains finite, one can find a value of B' which is smaller than \tilde{B} . Third and finally, noting that opening up to international trade raises the capital labor ratio k_{t+1} , one can find from (40) and (41) that $\tilde{B} \rightarrow \check{B}$, whereas \tilde{B} remains constant because of (28) and $p^c(\check{B}) = p^w$.

⁴⁵ $y_{t+1}^{M,c}$ in (37) is denoted as y_{t+1}^M in this section to simplify the notation.

⁴⁶ B^* is independent of b_t^P because (24) shows that b_t^P has no effect on $k(B_t, b_t^P, p^w, 1)$. Also, B^* is independent of X because $F_H(X, 0) = (1 - \alpha)^{1/\rho}$.

$b_t^P \in [0, B_t)$, meaning complete specialization in manufacturing under free trade.

In order to assure that the economy goes through all phases of globalization, the technological level of manufacturing, M , is assumed to be high enough to satisfy

$$B_t < \alpha\beta M(B_t - \lambda e_t)^\alpha [\lambda h(e_t) + 1 - \lambda - H_0^A]^{1-\alpha} \quad \text{for } B_t = \hat{B}, B^*, \quad (\text{A4})$$

where on the right-hand side is β times the rental income on capital $R_{t+1}K_{t+1}$ that would be if the dynamical system (46) operated for $B_t = \hat{B}, B^*$ and $b_t^P = 0$.⁴⁷

Given the properties of $v^R(B_t, 0, p_{t+1}^c)$, the condition above leads to

$$B_t < \phi(B_t, 0, p_{t+1}^c) \quad \text{for } 0 < B_t \leq \max(\hat{B}, B^*). \quad (\text{47})$$

It follows that $B_{t+1} > B_t$ in the time interval $[0, \tilde{t}]$ and the economy eventually departs from Stage I. This monotonic growth in B_t yields $y_{t+1}^M > y_t^M$, $y_{t+1}^A = y_t^A$ and $y_{t+1} > y_t$ for $t \in [0, \tilde{t}]$.

6.1.2 Class Conflict

The above analysis and (42) lead to

$$p_t = p_t^R = p_t^c > p^w; \quad c_t^{A,P} = c_0^{A,P} < \hat{c}; \quad b_t^P = 0, \quad \text{for } t \in [0, \tilde{t}], \quad (\text{48})$$

where $c_0^{A,P} = F_H(X, H_0^A)$. Note that the food constraint is binding for members of group P .

The two groups have conflicting viewpoints regarding the trade policy in Stage I. Trade liberalization is beneficial for members of group P , whose incomes are entirely devoted to the agricultural consumption. A decline in the price from the autarkic level leads to a decline in the agricultural employment and an increase in the wage in terms of the agricultural good, $F_H(X, H_t^A)$. However, the franchise is not given to group P in this immature development stage and their agricultural consumption is suppressed at the autarkic price level. Proposition 1 summarizes the discussion.

Proposition 1 *Under (A1)-(A4), $p_t = p_t^R = p_t^c > p^w = p_t^P$ in the time interval $[0, \tilde{t}]$.*

6.2 Stage II - The First Globalization

The economy develops in Stage II for period $t \in (\tilde{t}, \hat{t}]$, where \hat{t} is the period such that $B_t \leq \hat{B}$ for all $t < \hat{t}$ and $B_t > \hat{B}$ for $t = \hat{t}$. As in Stage I, the subsistence constraint is binding for members of

⁴⁷The condition (A4) holds given a sufficiently high level of M , noting that both \hat{B} and B^* go to zero as M becomes infinitely large.

group P and the political system is dominated by the landed class. Unlike in Stage I, however, trade liberalization brings about an increase in the labor employment and output of the manufacturing sector enough to alter landlords' attitudes towards trade policies. The economy accordingly opens up to international trade.

6.2.1 The Evolution of the Economy

In the first period of Stage II, $B_{\tilde{t}} \in (\tilde{B}, \hat{B}]$ by definition and $b_{\tilde{t}}^P = 0$ from (48). In view of Lemmas 2-3 and (43),

$$p_{t+1} = p_{t+1}^R = p^w \quad \text{for } B_t \in (\tilde{B}, \hat{B}] \text{ and } b_t^P = 0.$$

For this set of transfers, $I_{t+1}^P = w_{t+1} \leq p^w \hat{c}$ by noting (19) and the definition of \hat{B} . Thus in light of (14) and (27), (44) becomes

$$\begin{aligned} B_{t+1} &= \phi(B_t, 0, p^w) = \beta \lambda v^R(B_t, 0, p^w) / \epsilon; \\ b_{t+1}^P &= \psi(B_t, 0, p^w) = \beta \max(w_{t+1} - p^w \hat{c}, 0) = 0. \end{aligned} \quad (49)$$

The properties of $v^R(B_t, 0, p^w)$ are illustrated in Figure 4. $v^R(B_t, 0, p^w)$ is greater than $v^R(B_t, 0, p_{t+1}^c)$ for $B_t > \tilde{B}$, implying a higher path of B_t under free trade than in autarky. This means that, recalling (47),

$$B_t < \phi(B_t, 0, p^w) \quad \text{for } \tilde{B} \leq B_t \leq \max(\hat{B}, B^*). \quad (50)$$

Since $v^R(B_t, 0, p^w)$ is increasing in B_t , it follows that $B_{t+1} > B_t$ for $t \in [\tilde{t}, \hat{t}]$ and B_t exceeds \hat{B} within finite time. As depicted in Figure 3, the pair (B_t, b_t^P) moves rightwards on the interval $(\tilde{B}, \hat{B}]$ of the horizontal axis—a portion of the bb locus—in Stage II.

As B_t and thus k_{t+1} are rising over time, the employment of human capital is increasing in the manufacturing sector and is decreasing in the agricultural sector. Hence, (1), (27) and (39) yield $y_{t+1}^M > y_t^M$, $y_{t+1}^A < y_t^A$ and $y_{t+1} > y_t$ for $t \in (\tilde{t}, \hat{t}]$.

6.2.2 Class Conflict

The above analysis and (42) lead to

$$p_t = p_t^R = p^w < p_t^c; \quad c_t^{A,P} \in (c_{t-1}^{A,P}, \hat{c}); \quad b_t^P = 0 \quad \text{for } t \in (\tilde{t}, \hat{t}], \quad (51)$$

where $c_t^{A,P} = F_H(X, H_t^A)$. Note that the food constraint is still binding for group P .

In Stage II, the two groups share the same viewpoint regarding the trade policy, while the franchise is still limited to group R . Due to the difference between the world-market and autarkic prices, opening up to international trade decreases the employment in agriculture and thereby breaks the agrarian equilibrium (29), in which the living standard of the masses is suppressed. The resultant improvement in $F_H(\cdot)$, the wage in terms of food, enhances group P 's food consumption. For this reason, a liberal policy is desirable for group P as well as for group R . Proposition 2 summarizes the discussion.

Proposition 2 *Under (A1)-(A4), $p_t = p^w = p_t^P = p_t^R$ in the time interval $(\tilde{t}, \hat{t}]$.*

The monotonic growth of $c_t^{A,P}$ in (51) is driven by the accumulation of aggregate transfer, which enhances the capital-labor ratio in industry and thereby decreases the labor employment of the agricultural sector. Through this process the wage rate $F_H(\cdot)$ exceeds the subsistence consumption level \hat{c} in period $\hat{t} + 1$.

6.3 Stage III - The Rise of the Working Class and Political Backlash

The economy develops in Stage III for period $t \in (\hat{t}, t^*)$, where t^* is the period such that under free trade, $b_t^P < e_t$ for all $t < t^*$ and $b_t^P \geq e_t$ for $t = t^*$. Noting $k_p(\cdot) \geq 0$ in (24), the credit constraint remains binding on group P for any feasible price $p_{t+1} \in [p^w, p_{t+1}^c]$. On the other hand, unlike in the previous stages the food constraint is no longer binding, the franchise is given to all adults in society, and the landless workers invest in education. However, their wealth levels are still too low to nullify the credit constraint and to invest in physical capital. The increasing demand for the manufactured good may prompt the mass to be protectionist against the inflow of staple food.

It follows from (50) and (51) that in the first period of Stage III, $\hat{t} + 1$,

$$B_{\hat{t}+1} > \hat{B}, \quad b_{\hat{t}+1}^P > 0, \quad \text{and} \quad p_{\hat{t}+1} = p_{\hat{t}+1}^R = p^w. \quad (52)$$

6.3.1 Conditional Dynamics

In order to facilitate the analysis of unconditional dynamics, first consider the evolution of the economy conditional on $p_{t+1} = p^w$ for all $t > \hat{t}$. The lemma below asserts that there is no bb locus and b_t^P grows monotonically on the subspace $[\hat{B}, \bar{B}] \times [0, B_t)$ in Figure 3. A level of aggregate transfer \bar{B} in the lemma will be specified later.

Lemma 4 Under (A1)-(A4), $\psi(B_t, b_t^P, p^w) \geq b_t^P$ for $B_t \in [\hat{B}, \bar{B}]$ and $b_t^P \in [0, B_t)$, with equality only for $B_t = \hat{B}$ and $b_t^P = 0$.

Proof. See the Appendix □

Hence, for $B_t \in [\hat{B}, \bar{B}]$ and $b_t^P \in [0, e_t)$, all members of generation t consume \hat{c} units of food whereas the credit constraint is binding for group P .⁴⁸ In this case $\theta_t = \lambda$ and the evolution of aggregate transfer in (44) becomes

$$B_{t+1} = \phi(B_t, b_t^P, p^w) = \beta(y_{t+1} - p^w \hat{c}), \quad (53)$$

where in view of (27),

$$\phi_B(\cdot) = \beta R_{t+1} > 0; \quad \phi_{BB}(\cdot) < 0; \quad \phi_b(\cdot) > 0; \quad (54)$$

Figure 3 geometrically represents the conditional dynamical system in the subspace where $B_t \in [\hat{B}, \bar{B}]$ and $b_t^P \in [0, e_t)$. One can find from (50) and (54) that

$$\phi(\hat{B}, b_t^P, p^w) > \hat{B} \quad \text{for } b_t^P \in [0, e_t). \quad (55)$$

Given these properties of $\phi(\cdot)$ and the initial condition (52), the aggregate transfer increases monotonically over time towards the positively sloped BB locus, along which $B_t \in (\hat{B}, \bar{B})$. It thus follows from Lemma 4 that b_t^P also increases monotonically over time, eventually exceeding $e_t (< B_t)$.

6.3.2 Unconditional Dynamics

The nature of the unconditional dynamics depends on the price level determined in accordance with (43). Recalling (27),

$$p^w = \arg \max [y(B_t, b_t^P, p_{t+1}) - p_{t+1} \hat{c}], \quad (56)$$

where $p_{t+1} \in [p^w, p_{t+1}^c]$. It follows from (44) that a liberal policy maximizes aggregate transfer in the absence of the food constraint.

Lemma 5 If (A1)-(A4) are satisfied and X is sufficiently small, then

$$0 < b_t^P < b_{t+1}^P < \bar{b}^P \quad \text{and} \quad \hat{B} < B_{t+1} < \bar{B} \quad \text{for } t \in (\hat{t}, t^*).$$

⁴⁸ As implied by Lemma 4 and Corollary 1, $I_{t+1}^R > I_{t+1}^P \geq p^w \hat{c}$ in this case. Hence $C_{t+1}^A = \hat{c}$. As follows from (A3), if B_t is greater than \hat{B} , the manufacturing sector operates and $K_{t+1} > 0$. A positive amount of capital requires that members R of generation t are not credit-constrained.

Proof. Consider the first period of Stage III, $t = \hat{t} + 1$, which is characterized by (52). Using (33) and (43) with (19) and Lemma 4, one can obtain

$$p_{t+1} = p_{t+1}^P = \arg \max [w_{t+1}h(b_t^P) - p_{t+1}\hat{c}], \quad (57)$$

implying that $p_{t+1} = \arg \max \psi(\cdot)$. If p_{t+1} is sufficiently close to p^w , one can apply (55) to show that $\phi(\hat{B}, b_t^P, p_{t+1}) > \hat{B}$ for $b_t^P < \hat{B}$. In this case $\hat{B} < B_{t+1} < \bar{B}$, where the second inequality is implied by (56). Such a low price level is chosen by group P because $H_{t+1}^A \rightarrow 0$ and $\gamma_{t+1} \rightarrow 0$ in (36) as $X \rightarrow 0$ for a given triplet (B_t, b_t^P, p_{t+1}) . Therefore, it follows from Lemma 4 that as in the conditional dynamics, b_t^P grows monotonically over time and ultimately exceeds e_t . \square

As shown in (57), the desirable price for members of group P maximizes $[w_{t+1}h(b_t^P) - p_{t+1}\hat{c}]$. Note that the objective function includes the wage in terms of the manufactured good, w_{t+1} , because members of group P consume the manufactured good as well as the agricultural good. Raising the relative price promotes intersectoral labor shifts from industry to agriculture, and accordingly increases k_{t+1} and w_{t+1} . For this reason, free trade is not necessarily most desirable for them. As shown above, the desirable price for group P depends on the level of γ_{t+1} .

Proposition 3 *If (A1)-(A4) are satisfied, moderately land-scarce economies are likely to experience political backlash against liberalism in Stage III, where severely land-scarce economies will maintain liberalism.*

Proof. (68) in the Appendix reveals that for a given triplet (B_t, b_t^P, p^w) , γ_{t+1} increases with X because $H_{t+1}^A, X/H_{t+1}^A$ and k_{t+1} increase with X whereas H_{t+1}^M decreases with X . In addition, γ_{t+1} can be sufficiently close to 1 depending on the structural parameter; e.g., $\gamma_{t+1} \rightarrow 1$ as $a \rightarrow 0$. Hence the results follow from the proof of Lemma 5, noting that an excessively land-abundant economy becomes too protectionist to depart from Stage III. \square

The mechanism behind the resurgence of protectionism can be explained in the following manner. Given a larger amount of land, a change in the relative price has a bigger impact on the wage in terms of the manufactured good, w_t , because both γ_t and $F_H(\cdot)$ increase with X . Under this circumstance, workers find optimal to balance the consumption of these two goods by a centrist policy, rather than to maximize only food consumption by an extremely liberal policy.

The proposition above asserts a possibility of a bifurcation of trade policy among land-scarce economies in Stage III. Severe political backlash will retard the accumulation of aggregate transfer,

and the resultant decline in the wage rate w_{t+1} reactivates the food constraint on group P , bringing the economy back to the previous stages. In order to assure the economy's departure from Stage III, agricultural land is assumed to be sufficiently small.

The evolution of aggregate output depends on the executed trade policy. As shown in the analysis of the conditional dynamics, a liberal policy will continue to raise aggregate transfers and hence aggregate output. On the other hand, a protectionist policy does not guarantee their monotonic growth.

6.3.3 Class Conflict

It will be shown that the protectionist policy adopted by moderately land-scarce economies causes class conflicts between growing workers and landowners, who can be regarded as big capitalists in this stage.

Lemma 6 *If (A1)-(A4) are satisfied and $p_{t+1}^P > p^w$ in period $t \in (\hat{t}, t^*)$, then $p_{t+1}^R = p^w$ in the period.*

Proof. Follows from Corollary 1 and (57). $p_{t+1}^i = \arg \max(I_{t+1}^i - p_{t+1}\hat{c})$ in period $t \in (\hat{t}, t^*)$. Note that $p^w \neq p_{t+1}^P$ whereas $p^w = \arg \max(y_{t+1} - p_{t+1}\hat{c})$ from (56). The result therefore follows from and (27). □

Hence, the two groups never agree on protectionist policies in Stage III.

Proposition 4 *If (A1)-(A4) are satisfied, then moderately land-scarce economies are likely to have $p_{t+1} = p_{t+1}^P > p_{t+1}^R = p^w$ in the time interval (\hat{t}, t^*) .*

Proof. Follows from Proposition 3 and Lemma 6. □

It deserves special emphasis that political backlash to protectionism in Stage III is supported not by capitalists but by workers, who are better off.⁴⁹

6.4 Stage IV - The Second Globalization

The economy develops in Stage IV for period $t \geq t^*$. The food constraint is not binding as in Stage III, and moreover, the credit constraint dissipates in the long run. In the absence of the two

⁴⁹While landowners are homogeneous in this model, it is plausible to consider that in reality, protective policy was supported by large-size landlords, whose landownership is their dominant income source. As shown in (52), the first period of Stage III, $t + 1$, is a transitional period in which the ongoing trade policy was determined by adult members of group R , while young members of group P has obtained voting rights for the next periods' trade policy.

constraints, all individuals have savings and the interest rate positively affects their rental incomes on capital. The positive effect of trade liberalization on the interest rate will outweigh its negative effect on the wage rate at highly developed stages, swaying countries towards liberalism.

It follows from Lemma 5 with (52) and (A3) that in the first period of Stage IV, t^* ,

$$B_{t^*} > \hat{B}, \quad b_{t^*}^P \geq e_{t^*}, \quad \text{and} \quad p_{t^*} \in [p^w, p_{t^*}^c]. \quad (58)$$

6.4.1 Conditional Dynamics

In order to facilitate the analysis of the dynamical system, first consider the evolution of transfers conditional on $p_{t+1} = p^w$ for $t \geq t^*$. It follows from Corollary 1 and Lemma 4 that for $B_t \in [\hat{B}, \bar{B}]$ and $b_t^P \geq e_t$, no constraint is binding and $\theta_t = 1$. In this case (44) becomes

$$\begin{aligned} B_{t+1} &= \phi(B_t, b_t^P, p^w) = \beta(y_{t+1} - p^w \hat{c}); \\ b_{t+1}^P &= \psi(B_t, b_t^P, p^w) = \beta(I_{t+1}^P - p^w \hat{c}), \end{aligned} \quad (59)$$

where in view of (27) and (19),

$$\phi_B(\cdot) = \beta R_{t+1} > 0; \quad \phi_{BB}(\cdot) < 0; \quad \phi_b(\cdot) = 0; \quad \lim_{B_t \rightarrow \infty} \phi_B(\cdot) = 0; \quad (60)$$

$$\psi_B(\cdot) > 0; \quad \psi_b(\cdot) = \beta R_{t+1} > 0; \quad \psi_{bb}(\cdot) = 0. \quad (61)$$

Note that the interest rate R_{t+1} is the additional factor through which trade policies affect I_{t+1}^P .

The lemma below reflects valueless landownership and the associated dissipation of wealth inequality under complete specialization in manufacturing.

Lemma 7 *If (A1)-(A4) are satisfied, the conditional dynamical system (59) has a unique, non-trivial steady-state equilibrium (\bar{B}, \bar{b}^P) such that*

$$\bar{B} = \phi(\bar{B}, \bar{b}^P, p^w) = \bar{b}^P = \psi(\bar{B}, \bar{b}^P, p^w) > \max(\hat{B}, B^*).$$

Proof. Suppose $b_t^P \geq e_t$. Then (A4) and (60) yield a unique steady-state aggregate transfer $\bar{B} = \phi(\bar{B}, \bar{b}^P, p^w) > \max(\hat{B}, B^*)$. Since \bar{B} and the associated capital-labor ratio $\bar{k} = k(\bar{B}, \bar{b}^P, p^w, 1)$ are independent of b_t^P , (60)-(61) yield

$$\phi_B(\bar{B}, \bar{b}^P, p^w) = \psi_b(\bar{B}, \bar{b}^P, p^w) = \beta R(\bar{k}) < 1, \quad (62)$$

implying a unique steady-state value $\bar{b}^P = \phi(\bar{B}, \bar{b}^P, p^w)$. In the steady state where $\bar{B} > B^*$, agricultural output is zero and aggregate output is $w(\bar{k})h(e(\bar{k})) + R(\bar{k})[\bar{B} - e(\bar{k})]$. Hence noting (59), one can find that $\bar{B} = \bar{b}^P > e(\bar{k})$, establishing the lemma. \square

Figure 3 geometrically represents the conditional dynamical system (59) in the subspace where $B_t \in [\hat{B}, \bar{B}]$ and $b_t^P \in [e_t, B_t]$. This is the region where neither food nor credit constraints are binding. The upper bb locus in the diagram is negatively sloped and has a unique intersection with the 45° line at point (\bar{B}, \bar{b}^P) .⁵⁰ One can find from (55) and (60) that

$$\phi(\hat{B}, b_t^P, p^w) > \hat{B} \quad \text{for } b_t^P \in [e_t, B_t]. \quad (63)$$

This implies that given the initial condition (58), aggregate transfer B_t increases monotonically over time towards the vertical BB locus. It thus follows from Lemma 4 that b_t^P also increases monotonically over time. As follows from (62), the pair (B_t, b_t^P) converges to a steady-state equilibrium (\bar{B}, \bar{b}^P) .⁵¹ Throughout Stage IV, y_t , y_t^M and k_t monotonically increase whereas y_t^A monotonically decreases and reaches zero in the long run.

6.4.2 Unconditional Dynamics

As in Stage III, the nature of the unconditional dynamics depends on the price level determined by (43). A protective trade policy retards industrialization, although it may profit some members in society.

Lemma 8 *If (A1)-(A4) are satisfied and X is sufficiently small, then*

$$0 < b_t^P < b_{t+1}^P < \bar{b}^P \quad \text{and} \quad \hat{B} < B_{t+1} < \bar{B} \quad \text{for } t \geq t^*,$$

and $b_t^P \rightarrow B_t$ as $t \rightarrow \infty$.

Proof. It follows from (19) that, for $b_t^P > e_t$,

$$\partial I_{t+1}^P / \partial p_{t+1} = \gamma_{t+1} F_H(X, H_{t+1}^A) [H_{t+1}^A + (B_t - b_t^P) / k_{t+1}], \quad (64)$$

where the amount in the square bracket is smaller than $h(e_t)$. Then noting (63), the result can be proven in the same way as the one for Lemma 5. \square

⁵⁰ Applying the implicit function theorem to (59), one can find that the bb locus is negatively sloped over the range of B_t where $\beta R(k(B_t, b_t^P, p^w, 1)) < 1$. Note that $\beta R(\bar{k}) < 1$, as shown in the proof of Lemma 7.

⁵¹ Although b_t^P may temporarily become smaller than e_t in a period $t > t^*$, Lemma 4 and the fact $B_t \in (e_t, \bar{B})$ assure that $b_t^P > e_t$ in the long run.

The difference $B_t - b_t^P$ negatively correlates with a member R 's capital income $R_{t+1}s_t^P$. Hence, when the difference is sufficiently small, a rise in p_{t+1} raises the capital-labor ratio k_{t+1} and thereby decreases her capital income, offsetting its positive effect on the wage rate (i.e., $\partial I_{t+1}^P / \partial p_{t+1}$ in (64) becomes small). In this circumstance, group P is likely to support a liberal policy.

Proposition 5 *If (A1)-(A4) are satisfied and X is sufficiently small, the economy converges to a steady-state equilibrium $(\bar{B}, \bar{b}^P, p^w)$.*

Proof. Note that $F_H(X, H_{t+1}^A)H_{t+1}^A < \hat{c}$ in (64) due to the specialization in manufacturing and the linear homogeneity of the production function (1). Moreover, (23) implies that if $B_t - b_t^P$ is sufficiently small, then $b_t^P > e_t$ and $\theta_t = 1$. It thus follows from Lemma 8 that $b_t^P > e_t$ and $p_{t+1} = p_{t+1}^P = p^w$ in the long run. The unconditional dynamical system then becomes equivalent to the conditional dynamical system, establishing the result. \square

Hence, despite the possibility of temporary political backlash, the economy will liberalize foreign trade in the long run. The eventual return to liberalism should be interpreted as a prediction of the trade policy in unreached, highly-developed stages, due to the fact that most currently developed countries still protect agriculture. After the permanent trade liberalization, y_t , y_t^M and k_t monotonically increase as in the case of conditional dynamics.

Proposition 6 *Under (A1)-(A4), the triplet $(\bar{B}, \bar{b}^P, p^w)$ maximizes long-run industrial output.*

Proof. As shown earlier, free trade maximizes aggregate transfer and there is no steady state in Stage II. Hence, noting $y_B(\cdot) > 0$ in (27), there is no food constraint in the long-run when industrial output is maximized. Then one can use (56) to show that $p^w = \arg \max \phi(B_t, b_t^P, p_{t+1})$. In addition, (44) yields $\phi_b(\cdot) \geq 0$ with equality only if $b_t^P \geq e_t$. Hence the pair (\bar{b}^P, p^w) generates the maximized level of long-run aggregate transfer, which is \bar{B} . Finally, \bar{B} maximizes industrial output because of $\bar{B} > B^*$. \square

This proposition and the analysis of Stages II-IV reveal that a permanent free-trade policy after Stage I results in maximizing long-run industrial output. Note that trade liberalization in Stage I may prevent economic take-off and hence industrialization. Such a hasty reform may discourage the accumulation of physical and human capital by reducing the incomes of landlords, who own the entire assets in Stage I.

6.4.3 Class Conflict

Proposition 7 *If (A1)-(A4) are satisfied and X is sufficiently small, $p_t = p^w = p_t^P = p_t^R$ in the long run.*

Proof. The first two equalities are shown in the proof of Lemma 5. Around the steady-state equilibrium $(\bar{B}, \bar{b}^P, p^w)$, agricultural output is zero and thus $I_{t+1}^R/\partial p_{t+1}$ is obtained from (64) by replacing b_t^P with b_t^R . The result therefore follows from Lemma 5. \square

Hence, all members will ultimately agree on a free-trade policy in this land-scarce economy.

7 Divergence

This section discusses the role of the landed class in early take-off in economic development. For this purpose, consider two countries, A and B:

- Country A is the one considered in Section 6, satisfying (A1)-(A4).
- Country B is identical to Country A except that the former has a larger amount of land per landlord, x^R .

Lemma 9 (a) *If X is sufficiently large, $B_t > \phi(B_t, 0, p_{t+1}^c)$ for $B_t = \check{B}$.*

(b) *\check{B} decreases with the fraction of landlords, λ .*

Proof. (a) Recalling that $p^c(\check{B}) = p^w$, where $p^c(\cdot)$ is defined in relation to (32), one can find that $p^w F_H(X, H_0^A) = w(\kappa(\check{B}, 0, p^w))$. It then follows from (2), (4) and (24) that $\check{B} \rightarrow \infty$ as $X \rightarrow \infty$. On the other hand, (38) and (46) reveal that as $X \rightarrow \infty$, $\phi(B_t, 0, p_{t+1}^c)$ remains finite for any $B_t > 0$. Hence the result follows from the fact $\check{B} < \tilde{B}$ and the Inada condition of $\phi(B_t, 0, p_{t+1}^c)$.

(b) The result follows from (40), noting that $\partial v_t^{R,c}/\partial B_t < \partial v_t^{R,w}/\partial B_t$ for $B_t = \check{B}$. \square

Hence, sufficiently large values of x^R prevent the economic take-off in Stage II.

Proposition 8 (Income Divergence) (a) *Country A turns to pro-industrial a free trade policy in Stage II. The resulting decline in the food price promotes widespread investment, leading the country to Stage IV.*

(b) *Country B tends to stagnate in Stage I, where an anti-industrial, protectionist policy is adopted.*

Proof. (a) The result follows from the discussion in Section 6. (b) As follows from Lemma 9 and (A4), there exists a value $B_t \in (\check{B}, \tilde{B})$ such that $B_t = \phi(B_t, 0, p^w)$ if λ is smaller and X is not excessively larger than those of Country A. Hence the economy remains in Stage I and the result follows. \square

In Country A, a pro-industrial free trade policy in Stage II reduces the food price and thereby improves the living standards of the masses. The resulting widespread investment enables a departure from stagnation in which a large part of labor is required for food production. Such free-trade policy is supported by the landed class, who have a relatively weak incentive to protect agriculture due to their small gains from landownership.

In Country B, by contrast, land rents are the major source of landowners' incomes and a substantial amount of capital is necessary for them to support a pro-industrial, anti-agricultural policy. Hence, large-size landlords will stick to agricultural protection. Such an anti-industrial policy impedes the food-price reduction and thereby discourages productive activities by the mass. The economy will accordingly stagnate in underdeveloped stages.⁵²

8 Concluding Remarks

This article has developed a theoretical framework for understanding the evolution of trade policy, underlying internal class conflicts, and global income divergence over the last few centuries. It analyzes the dynamic interaction between trade policy and economic development, and thereby bridges a gap between two strands of literature—open-economy growth theories and endogenous tariff theories. On the one hand, trade-policy preferences and the executed trade policy depend on the stage of development. Due to the distributional effects of trade liberalization, income sources as well as income levels characterize individuals' attitudes towards trade policy, and these two elements vary in the process of development. On the other hand, engaging in international trade affects aggregate output, income distribution and private investment through specialization in a sector with a comparative advantage. The central argument of this paper is that this mutual dependence between trade policy and development has been one of the principal forces operating behind the evolution of the world economy, particularly since the mid-19th century, when European

⁵²If X is excessively large, the economy will converge to a steady-state equilibrium where it has a comparative advantage in agriculture. This paper does not go into this case, though.

trade liberalization launched. The latter part of this paper has shown that the path of economic development in part depends on the relative size of land in landowners' portfolios.

A large portion of the article dwells on 19th-century Western Europe, which had a comparative advantage in manufacturing in global markets and pulled ahead of the other nations by trade expansion. Consistent with this historical experience, the proposed theory argues that capital-abundant, land-scarce (i.e., Western European) economies undergo a non-monotonic evolution of trade policy in the growth process.

The first wave of liberalism is triggered by a shift in landlords' stance towards liberalism, a shift associated with the increasing importance of industrial capital in their portfolios. Specialization in manufacturing after trade liberalization fuels aggregate output by releasing the economy from resource constraints. In addition, the landless poor benefit from trade which provides them with inexpensive staple food.

The subsequent political backlash results from improved living standards and the accompanying political participation of the middle class, who care about the purchasing power of capital-intensive goods as well as that of land-intensive goods. The retreat into protectionism is, however, not a universal phenomenon and a bifurcation of trade policy is observed in this intermediate development stage. It is demonstrated that the political backlash will occur in moderately land-scarce countries with, such as France and Germany, but not in severely land-scarce countries, such as Great Britain. On top of that, the surge of protectionism will not bring the economy back to previous stages as long as the amount of land is relatively small. These asymmetric results regarding trade protection apply to the case of Western Europe in the late 19th century.

Further specialization in manufacturing in later stages shrinks domestic agriculture and accordingly all individuals, regardless of their landownership, are inclined to support pro-industrial, liberal policies. The developed theory therefore predicts the dissipation of class conflicts over trade policy. Land-scarce countries accordingly reach a developed stage with free trade despite the possibility of their temporary retreat to protectionism.

Contrary to the above-mentioned scenario, countries with large-scale landlords are likely to remain protectionist—an outcome that leads to global income divergence. The relative importance of land is typically dominant in their portfolios, and in order to secure this principal income source, those landed interests have a strong incentive to oppose a pro-industrial policy. Such negative

attitudes towards industrialization prevent improvements in working-class living standards, and in this circumstances, the masses need to spend most of their incomes on the consumption of staple foods, leaving no resources for productive activities.

While this article has taken a novel approach to analyzing the potential relationship between trade policy and economic development, it omits several aspects relevant to the world economy during the period under consideration. First, the developed model abstracts from technological progress, in particular improvements in transportation productivity, which has promoted the integration of global markets. Second, the paper has confined its assessment to the direct, quantitative impacts of trade in commodities on trading economies. As argued by Irwin (2001, 3), however, one should also pay attention to several Asian commodities that were traded in small quantities, as they may have conveyed embodied new technology to Europe. Third, it will be desirable to consider political games between trading countries who strategically adopt their trade policies. Altering the small-open economy assumption enables to take into account the home country's reaction to foreign countries' trade policies. Finally, this paper has considered the economy producing a single manufactured good, and hence unable to analyze the protection for manufacturing sectors. Although its focus on agricultural protection is a reasonable simplification to study European trade policy before the 20th century, it would be less appropriate for contemporary debates; nowadays the protection of domestic industry would have greater impacts on advanced economies than that of agricultural goods would. Future research should be directed to addressing these issues.

Appendix

Patterns of Specialization

If the production of the manufactured good takes place at time $t + 1$, both numerator and denominator of $q(\cdot)$ must be positive. To check this condition, first define a level of k_{t+1} , k_{t+1}^d , for which the denominator of $q(\cdot)$ is zero. Then, $\forall (b_t^P, p_{t+1}, \theta_t) \in \mathbb{R}_+ \times \mathbb{R}_{++} \times (0, 1]$,

$$\theta_t h(e(k_{t+1})) + (1 - \theta_t) h(b_t^P) - H^A(k_{t+1}, p_{t+1}) \begin{cases} < 0 & \text{for } k_{t+1} \in (0, k_{t+1}^d), \\ = 0 & \text{for } k_{t+1} = k_{t+1}^d, \\ > 0 & \text{for } k_{t+1} > k_{t+1}^d. \end{cases} \quad (65)$$

The existence of k_{t+1}^d is guaranteed by the properties of $H^A(\cdot)$. It follows that $k_{t+1}^d = k^d(b_t^P, p_{t+1}, \theta_t) > 0$ with $k_p^d(\cdot) > 0$. Second, let k_{t+1}^n be a value of k_{t+1} for which the numerator of $q(\cdot)$ is zero. Then

for a given $B_t > 0$,

$$B_t - \theta_t e(k_{t+1}) - (1 - \theta_t) b_t^P \begin{cases} > 0 & \text{for } k_{t+1} \in (0, k_{t+1}^n), \\ = 0 & \text{for } k_{t+1} = k_{t+1}^n, \\ < 0 & \text{for } k_{t+1} > k_{t+1}^n. \end{cases} \quad (66)$$

It follows from $e'(k_{t+1}) > 0$ that $k_{t+1}^n = k^n(B_t, b_t^P, \theta_t)$.

Given these results, one can define p_{t+1}^{\max} , the upper bound of the price for incomplete specialization, to satisfy

$$k^d(b_t^P, p_{t+1}^{\max}, \theta_t) = k^n(B_t, b_t^P, \theta_t), \quad (67)$$

where $(B_t, b_t^P, \theta_t) \in \mathbb{R}_{++} \times \mathbb{R}_+ \times (0, 1]$. This relationship yields a single-valued function $p_{t+1}^{\max} = p^{\max}(B_t, b_t^P, \theta_t)$ on the set. The patterns of specialization depend on the relationship between p_{t+1} and p_{t+1}^{\max} . Consider the following two possible cases for a given triplet (B_t, b_t^P, θ_t) on the domain above.

Case I: $0 < p_{t+1} < p_{t+1}^{\max}$. Recalling $\partial k_{t+1}^d / \partial p_{t+1} > 0$ and (67), one can find $0 < k_{t+1}^d < k_{t+1}^n$. As follows from (65) and (66) that, for $k_{t+1} \in (k_{t+1}^d, k_{t+1}^n)$, (i) both numerator and denominator of $q(\cdot)$ are positive, and (ii) $q(\cdot)$ is decreasing in k_{t+1} . On the other hand, $q(\cdot) < 0$ for $k_{t+1} \in \mathbb{R}_{++} \setminus [k_{t+1}^d, k_{t+1}^n]$. These properties guarantee the existence of a unique value $k_{t+1} \in (k_{t+1}^d, k_{t+1}^n)$ satisfying (23). Members of group R are not credit-constrained in period t .

Case II: $p_{t+1}^{\max} \leq p_{t+1}$. It follows that $0 < k_{t+1}^n \leq k_{t+1}^d$, implying that $q(k_{t+1}; \cdot) < 0$ for $k_{t+1} \in \mathbb{R}_{++} \setminus [k_{t+1}^d, k_{t+1}^n]$, and both numerator and denominator of $q(\cdot)$ are non-positive for $k_{t+1} \in [k_{t+1}^d, k_{t+1}^n]$. In this case $y_{t+1}^M = 0$ since physical and human capital are indisputable to generate the manufacturing good. The economy will fully specialize in agriculture. As a result, individuals with perfect foresight do not save and spend all their bequests on education.

Proof of Lemma 1

Suppose $H_t^A = H_0^A$. Then $H_t^M = H_t - H_0^A > 0$ and thus (23) yields $k_t > 0$. Also, one can use (7) and (19) to get $I_t^P = w_t = p_t F_H(X, H_0^A)$. Hence, in view of (29) and (31), $H_t^A = H_0^A$ and $p_t = w(k_t) / F_H(X, H_0^A)$ satisfy (28) and $I_t^P < p_t \hat{c} < I_t^R$ holds in the equilibrium.

Recalling Corollary 1, the uniqueness of H_0^A is verified if neither (a) $p_t \hat{c} \leq I_t^P \leq I_t^R$ nor (b) $I_t^P \leq I_t^R \leq p_t \hat{c}$ occurs in other equilibria. Case (a) implies $\hat{c} \leq F_H(X, H_t^A)$. It then follows from (29) that $H_t^A < H_0^A$ and $y_t^A < \hat{c}$, which violates (28). In case (b), (10) and (13) yield $c_t^R \leq \hat{c}$ and

$B_t = 0$, thus $H_t^A = H_t > H_0^A$. Noting (31), this leads to $c_t^R = [F(X, H_t) - (1 - \lambda)F_H(X, H_t)]/\lambda > \hat{c}$, a contradiction. \square

The Wage Elasticity

$$\gamma_t = \frac{D_t}{D_t + H_t^M + \frac{\theta_t - 1}{1 - \alpha} e'(k_t)}, \quad (68)$$

where

$$D_t \equiv \frac{-\alpha F_H(X, H_t^A)}{F_{HH}(X, H_t^A)} = \frac{\alpha H_t^A [a + (1 - a)(X/H_t^A)^{-\rho}]}{a(1 - \rho)}.$$

Proof of Lemma 3

Noting (8), (24), (38) and (39), one can find that the first and second brackets in (40) respectively increase and decrease with B_t . Hence, in light of (41), the lemma is proven by showing that $v_t^{R,w} > v_t^{R,c}$ for a sufficiently large value of B_t . Using $w_t^M = -(1 - \alpha)y_t^M/H_t^M$, one can find that

$$y_t^{M,w} - (1 - \lambda)w_t^{M,w} = \left[\alpha + (1 - \alpha) \frac{H_t^M - (1 - \lambda)}{H_t^M} \right] y_t^{M,w} \equiv \pi_t y_t^{M,w},$$

where π_{t+1} approaches 1 as B_t goes to infinity, noting the properties of $h(e_t)$. Thus,

$$\lim_{B_t \rightarrow 0} (\pi_{t+1} y_{t+1}^{M,w} - y_{t+1}^{M,c}) = \lim_{B_t \rightarrow 0} (y_{t+1}^{M,w} - y_{t+1}^{M,c}).$$

Since (38) and (39) imply the strict concavity of y_{t+1}^M with respect to H_{t+1}^A ,

$$y_{t+1}^{M,w} - y_{t+1}^{M,c} > w_{t+1}^{M,w} (H_0^A - H_{t+1}^{A,w}),$$

where the right-hand side becomes infinitely large as B_t goes to infinity. It thus follows from (40) that $v_t^{R,w} > v_t^{R,c}$ for a sufficiently large value of B_t . \square

Proof of Lemma 4

As follows from (13) and (19), the evolution of b_t^P conditional on $k_{t+1} = k$ is

$$b_{t+1}^P = \beta \max[I(b_t^P; k) - p^w \hat{c}, 0] \equiv \varphi(b_t^P; k),$$

where

$$I(b_t^P; k) \equiv \begin{cases} w(k)h(b_t^P) & \text{for } b_t^P < e(k) \\ w(k)h(e(k)) + R(k)[b_t^P - e(k)] & \text{for } b_t^P \geq e(k). \end{cases}$$

Noting $w(\hat{k}) = p^w \hat{c}$ and $\beta R(\hat{k}) > 1$ from (A4),

$$0 = \varphi(0; \hat{k}) \quad \text{and} \quad \varphi_b(b_t^P; \hat{k}) > 1, \quad \forall b_t^P > 0.$$

Therefore, this first-order difference equation has no steady state if $k > \hat{k}$ and $R(k) > 1$, otherwise it has a unique steady-state.

In addition, one can find

$$\begin{aligned} \varphi_k(b_t^P; k) &> 0 \quad \text{for } b_t^P < e(k); \\ \varphi_k(b_t^P; k) &< 0 \quad \text{for } b_t^P \geq \bar{b}^P \text{ and } k \leq \bar{k}, \end{aligned}$$

noting $H^A(\bar{k}, p^w) = 0$ and $\bar{b}^P = \bar{B} > \max[e(\bar{k}), \bar{k}]$ with

$$I_k(b_t^P, k) = \begin{cases} w'(k)h(b_t^P) & \text{for } b_t^P < e(k) \\ (1 - \alpha)R(k)[h(e(k)) - b_t^P/k] & \text{for } b_t^P \geq e(k). \end{cases}$$

The results above characterize the relationship between b_t^P and k implied by $b_t^P = \varphi(b_t^P; k)$. By noting (24) and (A3), one can map this relationship onto the bb locus on the (B_t, b_t^P) space to establish the result. \square

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Figure 1. Trends in the Franchise

Source: Flora et al. (1983)

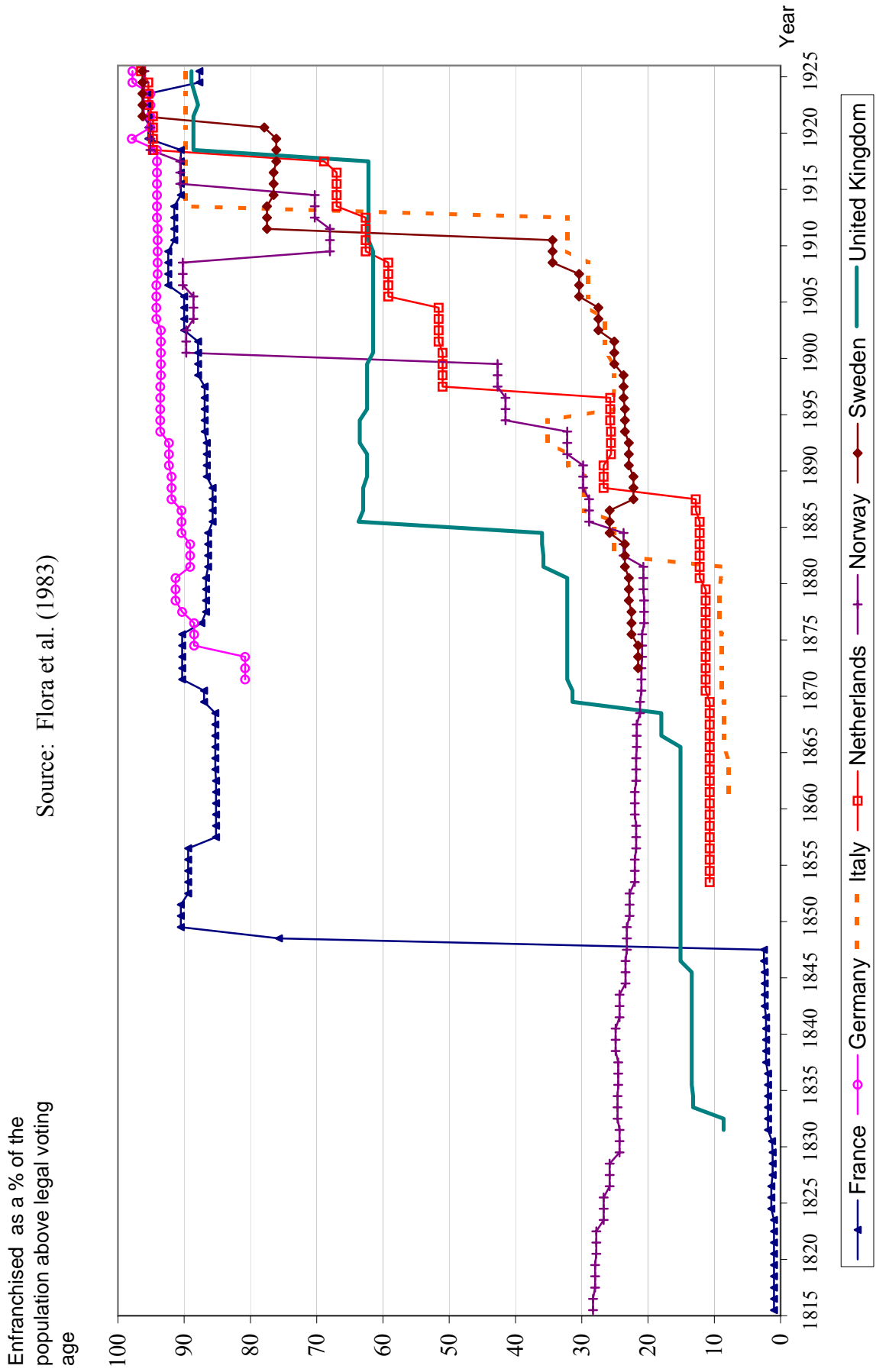


Figure 2(a). Trends in Import Tariffs, 1865-1913

Source: Michael A. Clemens and Jeffrey G. Williamson, Harvard University. Contact: jwilliam@harvard.edu

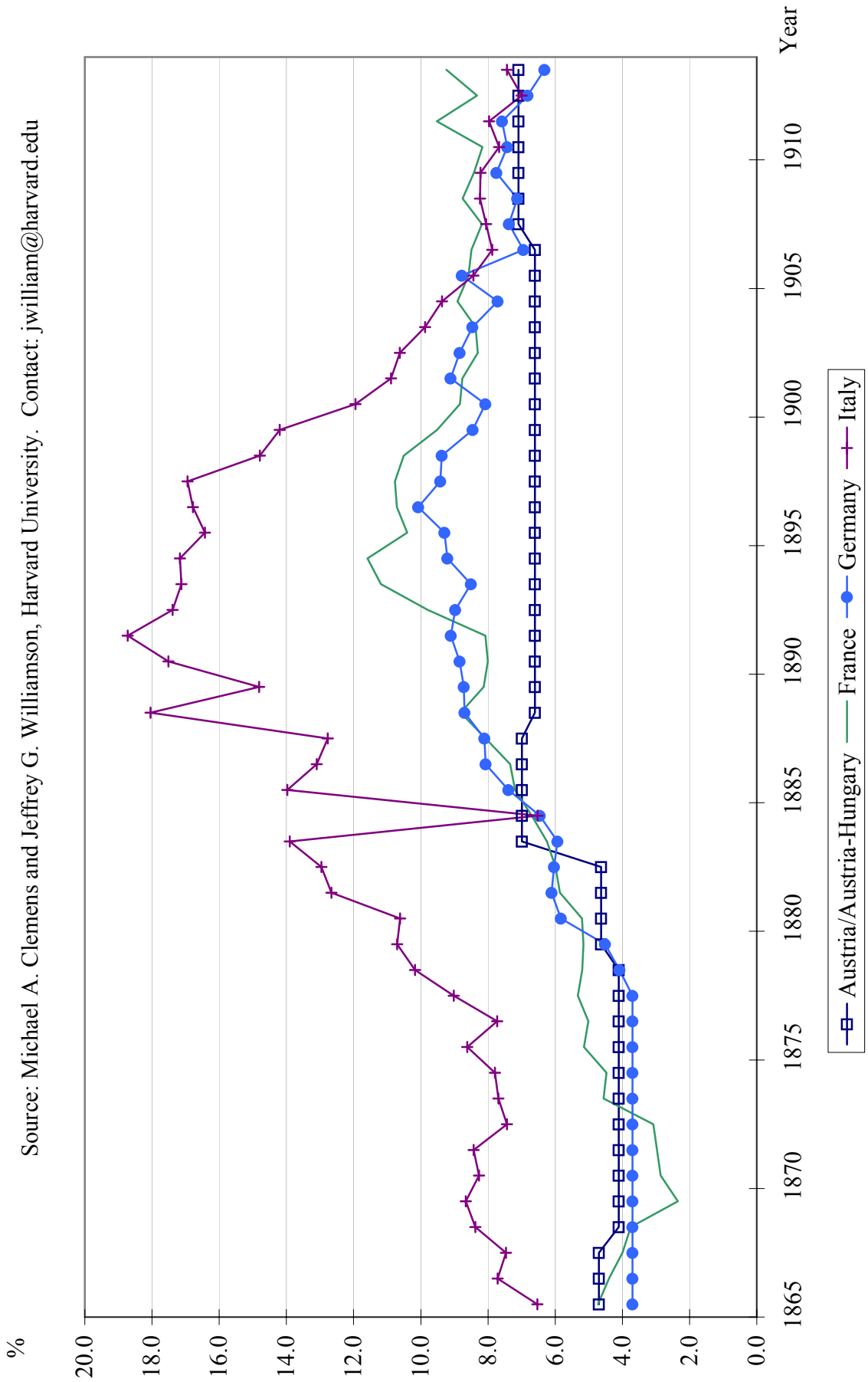


Figure 2(b). Trends in Import Tariffs, 1865-1913

Source: Michael A. Clemens and Jeffrey G. Williamson, Harvard University. Contact: jwilliam@harvard.edu

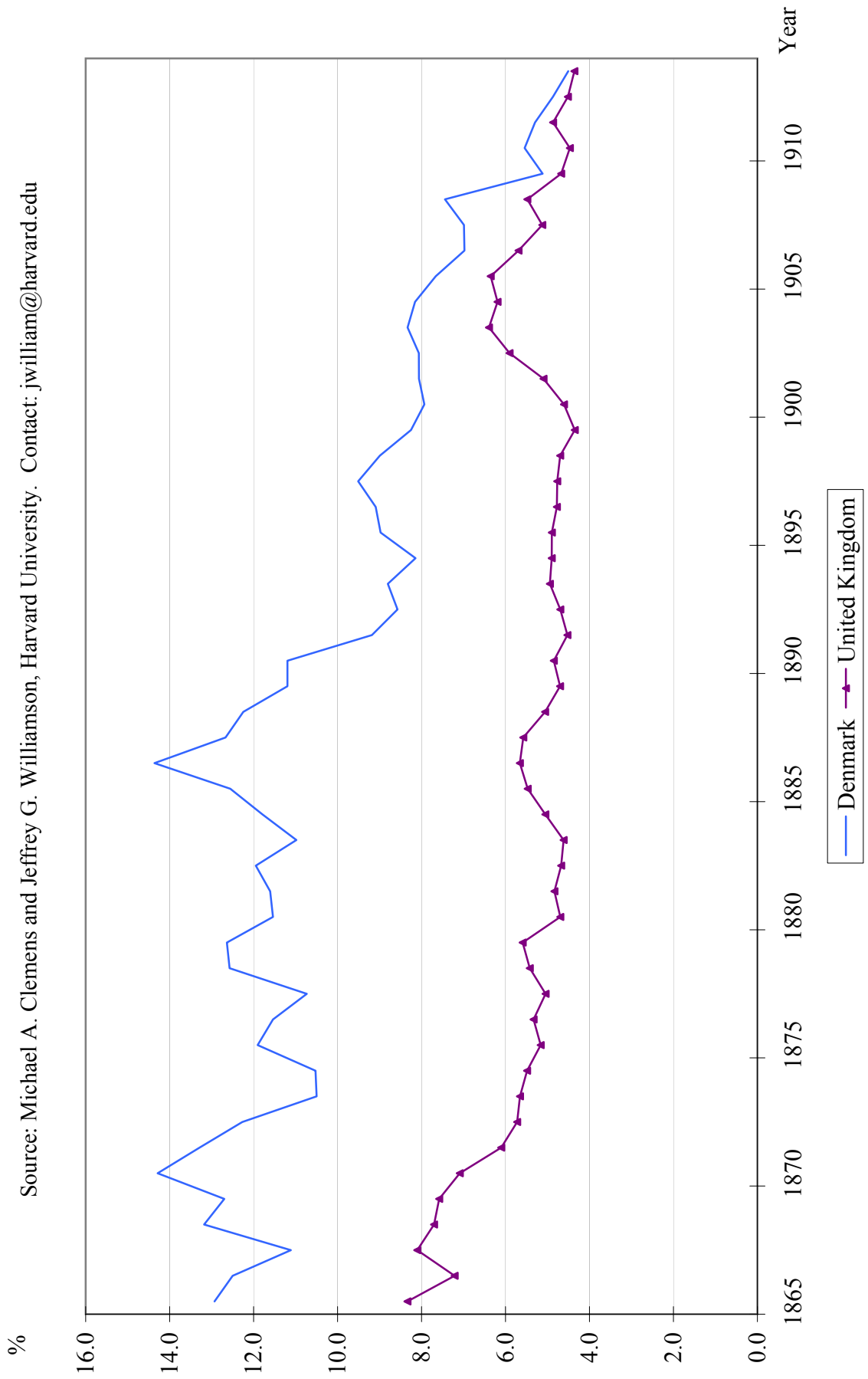


Figure 3. The Conditional Dynamical System

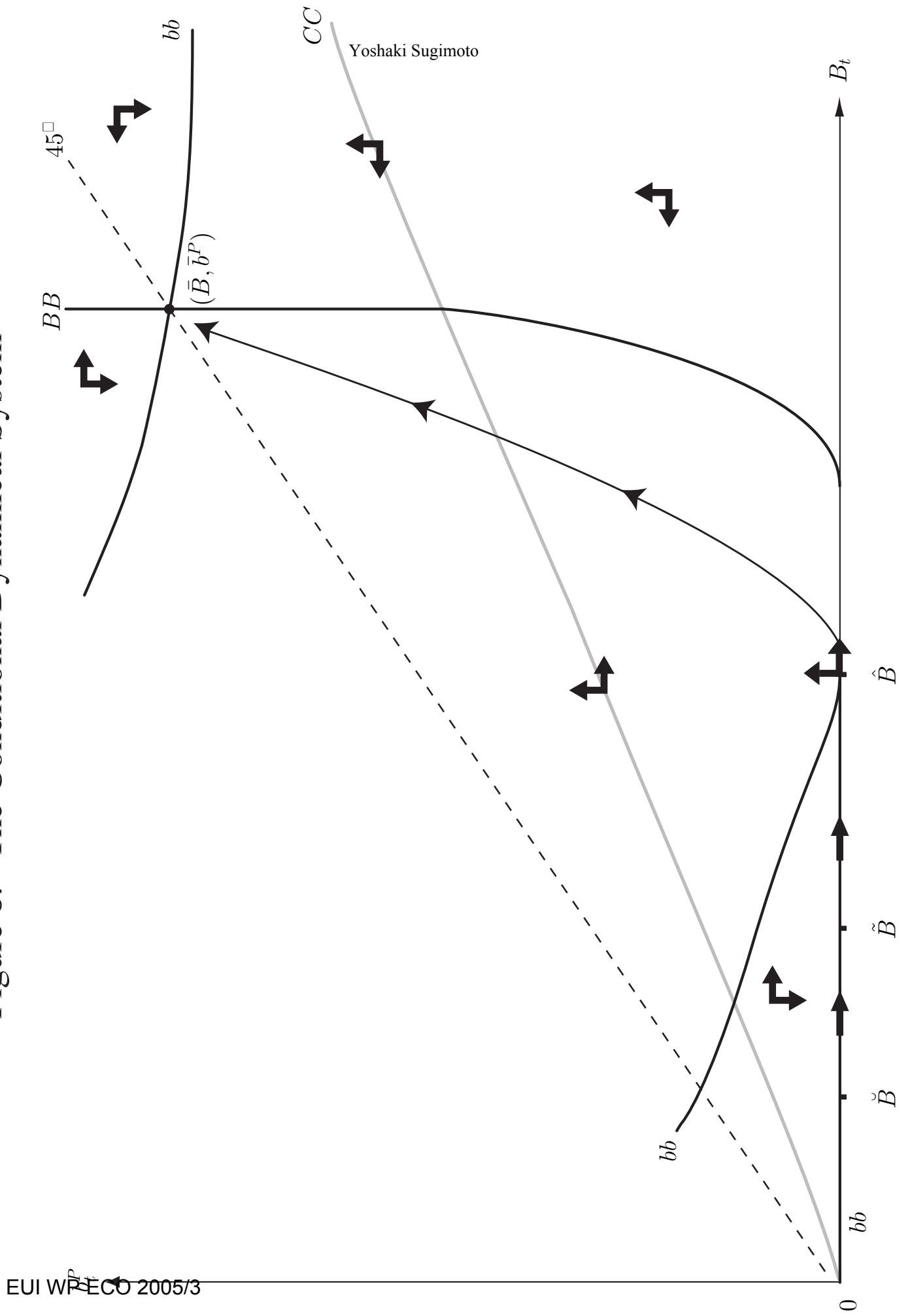


Figure 4. Landlords' Optimal Trade Policies
(Small Land Endowment per Landlord)

